

# MODEL DEVELOPMENT AND VALIDATION FOR FATIGUE LIFE PREDICTION OF WELDED JOINTS

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College of Engineering & Computer Science



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## **Education**

- **University of Michigan - Rackham Graduate School** (GPA: 3.94/4.00) 2015 - 2017  
Master's Degree, Mechanical Engineering
- **Chongqing University, China** 2009 - 2016  
BS, MS, Major: Engineering Mechanics (BS); Automotive Engineering (MS)

## **Advisor**

Hong-Tae Kang, Ph.D.

Professor, Mechanical Engineering

## **Current Position**

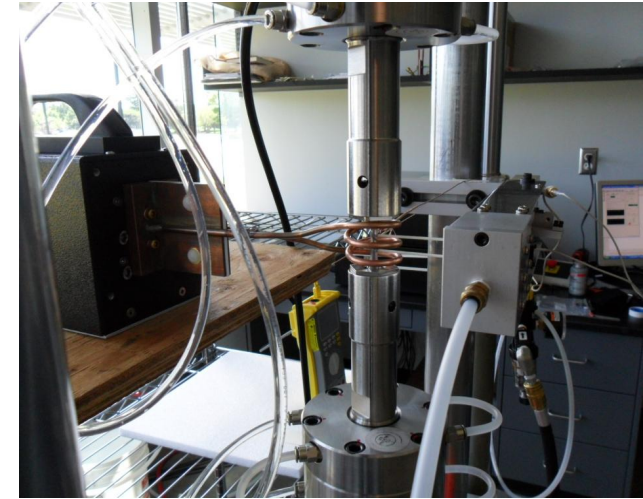
**FEA Engineer at Caterpillar, Inc. (Agency)**  
Mossville, IL

December 2017-Current

# Fatigue Analysis and Testing Lab in UM-Dearborn

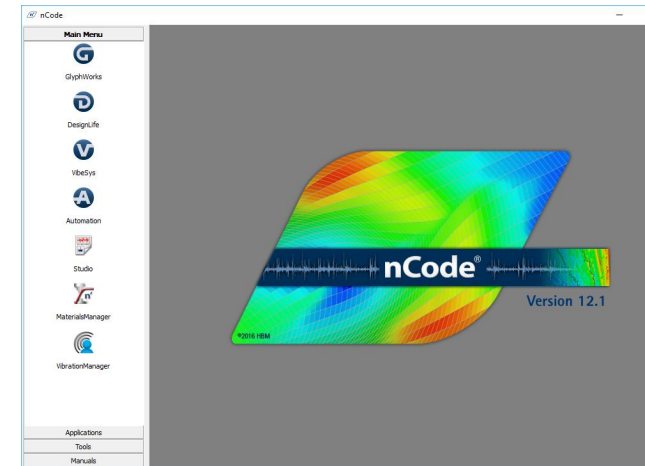
## Fatigue testing

- Various joints: Spot weld, SPR, FSLW, GMAW, Adhesive joints, etc.
- Strain-controlled fatigue, four-point bending fatigue, etc.
- Round bar specimen, sheet specimen
- Thermo-mechanical fatigue (TMF)



## FEA based fatigue life analysis

- Stress-life approach (S-N)
- Strain-life approach (E-N)
- Structural stress method



# Contents

## Objective

### Part I. Method Development

- Stress intensity factors
- Fracture mechanics-based generalized stress parameter (GSP) approach
- Comparison with structural stress methods

### Part II. Validation and Application

- Consolidation of coupon fatigue test results
- Life prediction of welded component

## Conclusions

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# Objective

## Background:

- Fatigue failure is a common failure mechanism in welded joints, which are often the weakest spots due to stress concentration

## Current methods:

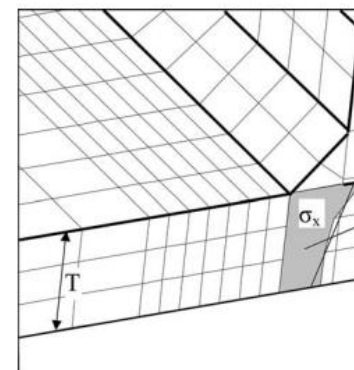
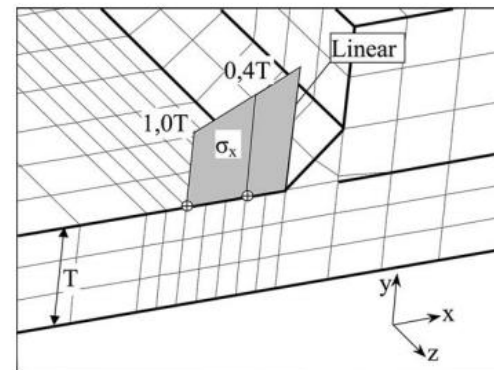
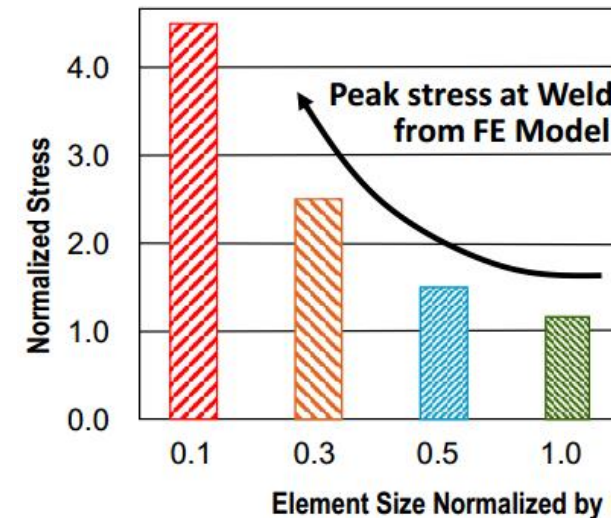
FEA stress output (mesh-sensitive)

Stress intensity factor (time-consuming)

Structural stress

1. Linear surface extrapolation
2. Linearization through thickness
3. Nodal force-based structural stress

only considers global geometry effect



# Objective

Structural stress definition (nCode, Fe-Safe, etc.)

$$\sigma_s = \sigma_m + \sigma_b$$

Observation:

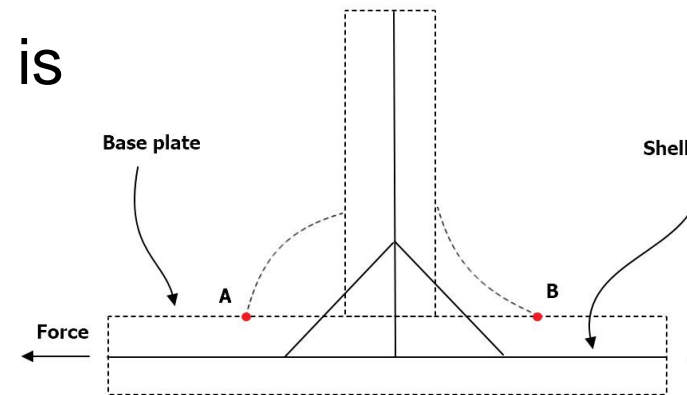
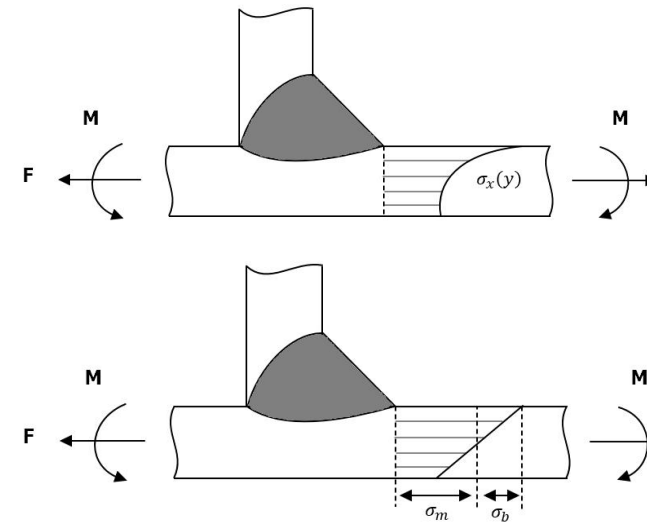
Structural stress tells us:

$$\sigma^A = \sigma^B$$

In fact,

$$\sigma_{Local}^A > \sigma_{Local}^B \quad \text{(Larger stress concentration at Point A)}$$

Stress concentration caused by the weld profile is considered (**local geometric effect**)



# Objective

To develop and validate a fatigue life prediction model for welded joints

- CAE effectiveness

- Including the effects of local weld geometric parameters on fatigue life prediction

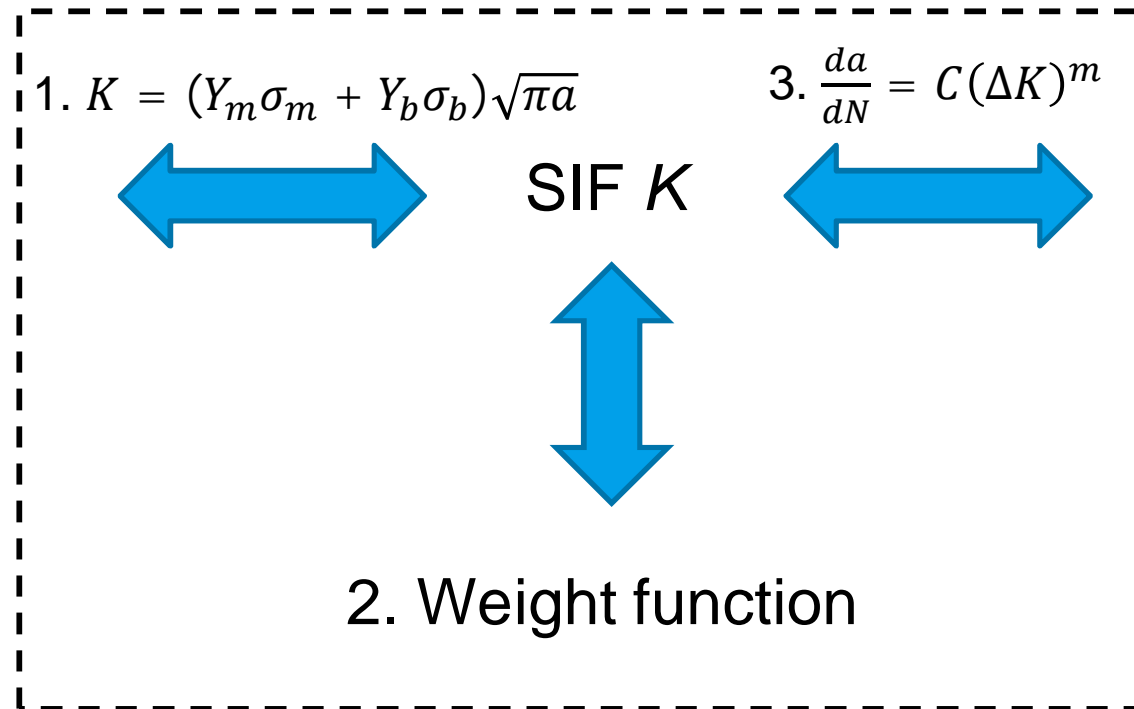
- Comparable to current methods

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# Part I. Method Development



Structural stress  $\sigma$



Fatigue life  $N$

# Stress Intensity Factors

Relations between SIF and structural stress:

$$K = (Y_m \sigma_m + Y_b \sigma_b) \sqrt{\pi a}$$

and  $Y_b$  are geometric correction factors under pure tension and pure bending respectively

$$\sigma_m = \sigma_s - \sigma_b = (1 - r_b) \sigma_s$$

$$\sigma_b = r_b \sigma_s$$

structural stress  
bending ratio ( $=\sigma_b / \sigma_s$ )

SIF can be calculated from stress through  $Y_m$  and  $Y_b$ , vice versa.

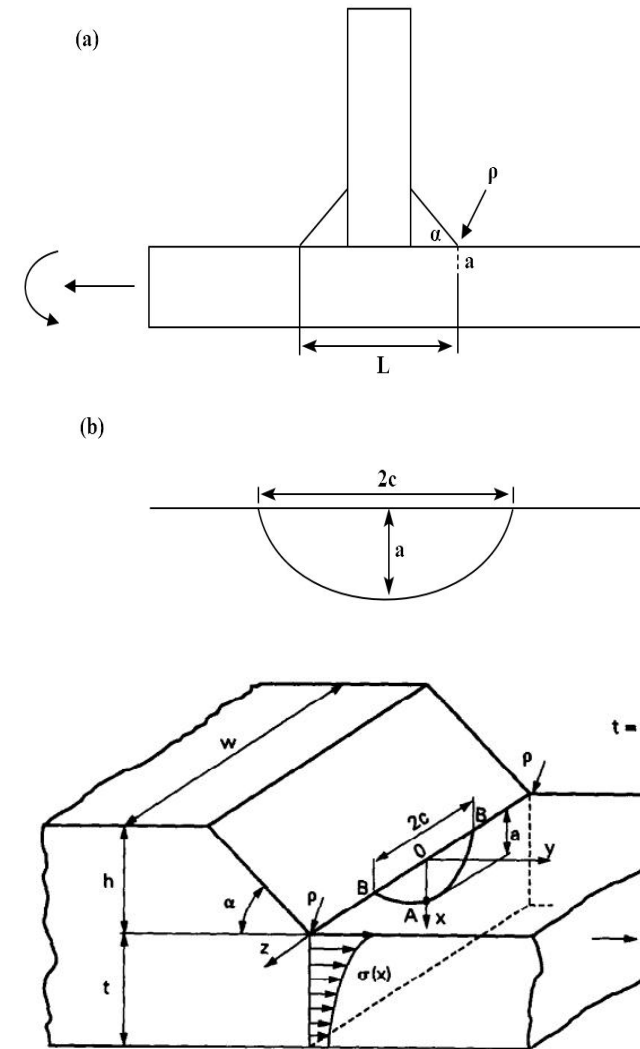
# Stress Intensity Factors

are calculated using weight function method

$$K = \int_0^a \sigma(x) m \left( x, \frac{a}{t}, \frac{a}{c}, \alpha \right) dx$$

$m \left( x, \frac{a}{t}, \frac{a}{c}, \alpha \right)$  is the weight function provided by Niu and Glinka

$\sigma(x)$  is the normal stress distribution on the uncracked cross-section at the critical point of the welded plate. Mode I failure is assumed

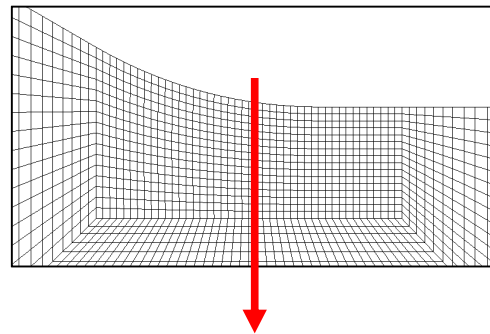
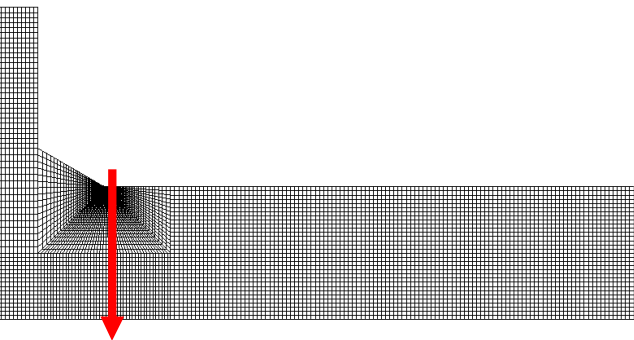


# Stress Intensity Factors

## A stress analysis

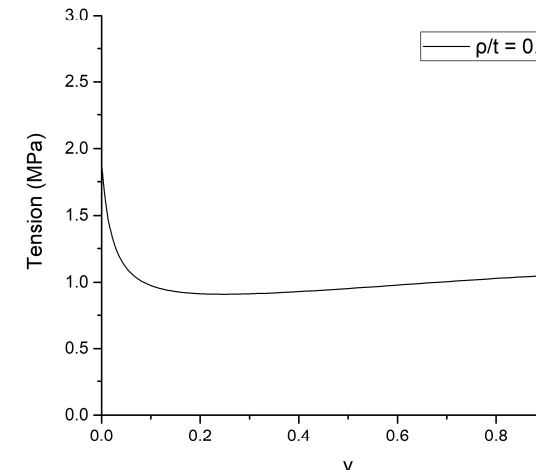
Weld angle  $\alpha = 30^\circ, 45^\circ$ , and  $60^\circ$  and weld  
radius  $\rho/t = 0.1, 0.3$ , and  $0.5$

$$K = \int_0^a \sigma(x) m\left(x, \frac{a}{t}, \frac{a}{c}, \alpha\right) dx$$

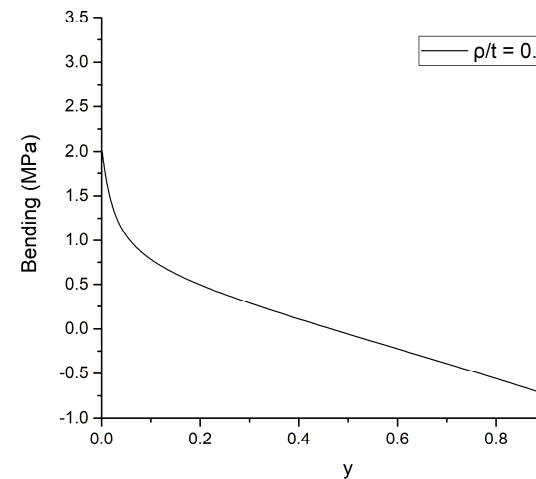


Tension

Stress distribution at weld



Bending



# Stress Intensity Factors

Consider two cases:

Tension only

$$K = \int_0^a \sigma(x) m \left( x, \frac{a}{t}, \frac{a}{c}, \alpha \right) dx$$

$$K = Y_m \sigma_m \sqrt{\pi a}$$

$Y_m$  is obtained

Bending only

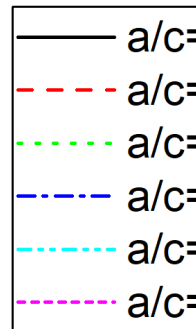
$$K = \int_0^a \sigma(x) m \left( x, \frac{a}{t}, \frac{a}{c}, \alpha \right) dx$$

$$K = Y_b \sigma_b \sqrt{\pi a}$$

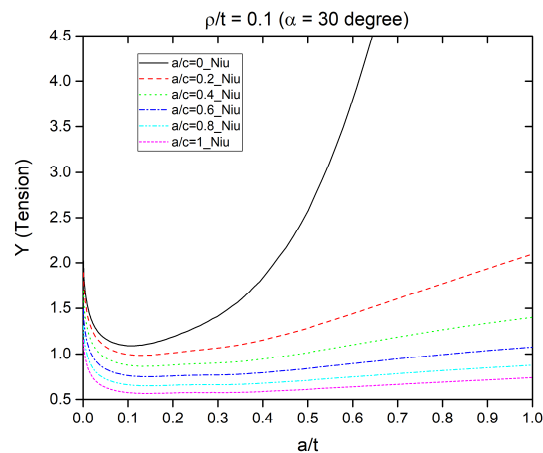
$Y_b$  is obtained

# Stress Intensity Factors

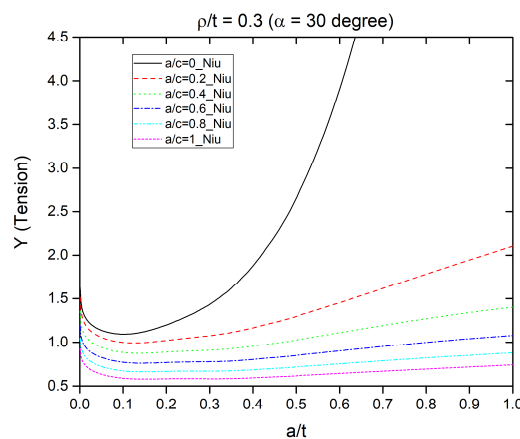
Distribution of  $Y_m$  and  $Y_b$  ( $\alpha = 30^\circ$ )



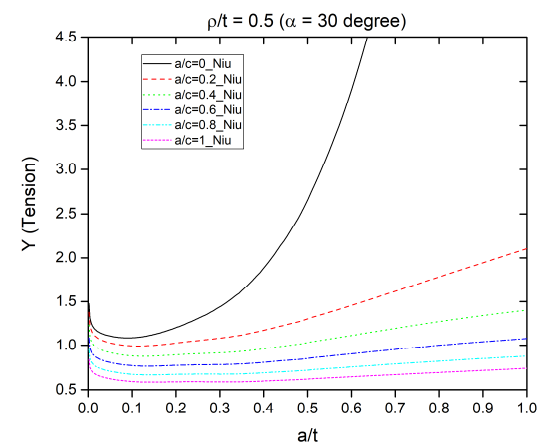
(a)  $\rho/t = 0.1$



(b)  $\rho/t = 0.3$

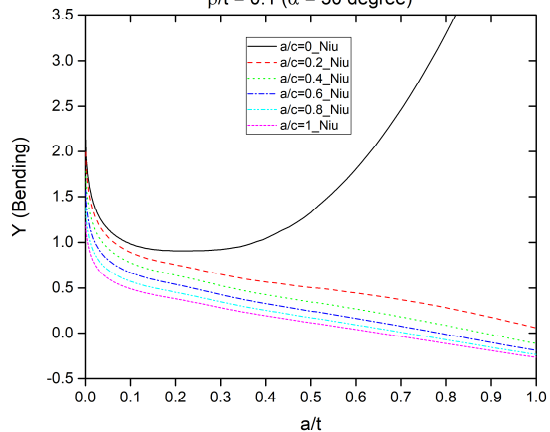


(c)  $\rho/t = 0.5$

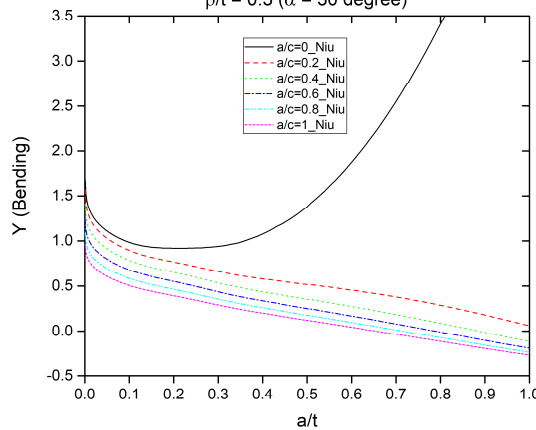


$Y_m$

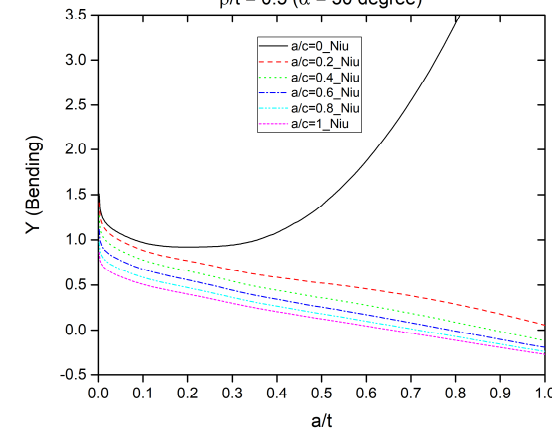
$\rho/t = 0.1$  ( $\alpha = 30^\circ$ )



$\rho/t = 0.3$  ( $\alpha = 30^\circ$ )



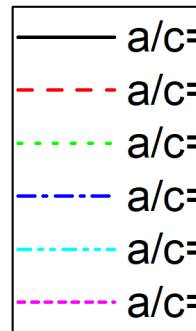
$\rho/t = 0.5$  ( $\alpha = 30^\circ$ )



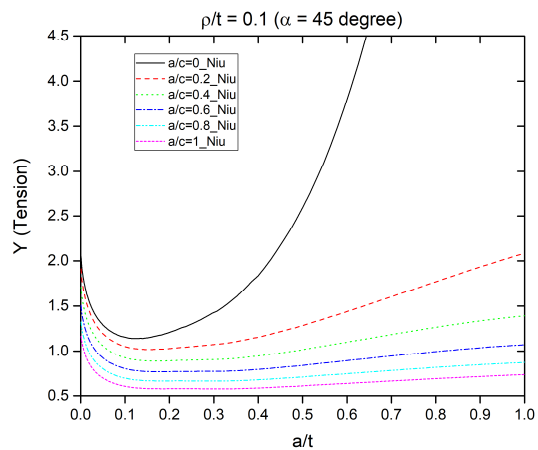
$Y_b$

# Stress Intensity Factors

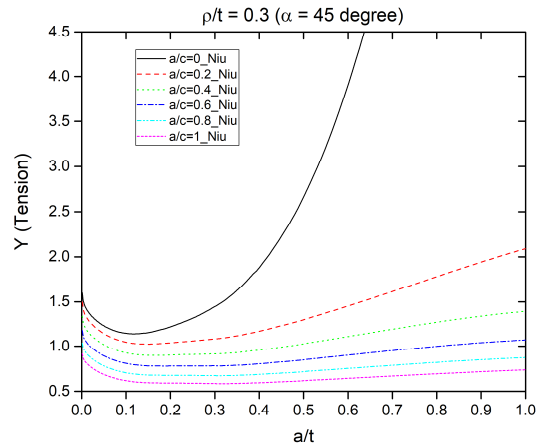
Distribution of  $Y_m$  and  $Y_b$  ( $\alpha = 45^\circ$ )



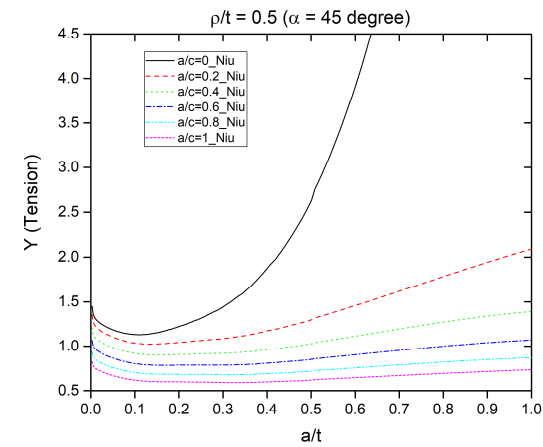
(a)  $\rho/t = 0.1$



(b)  $\rho/t = 0.3$

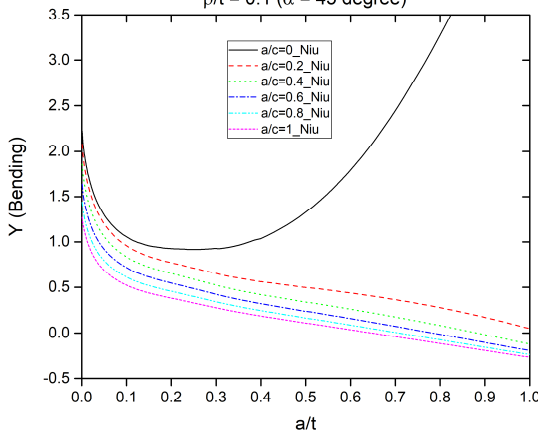


(c)  $\rho/t = 0.5$

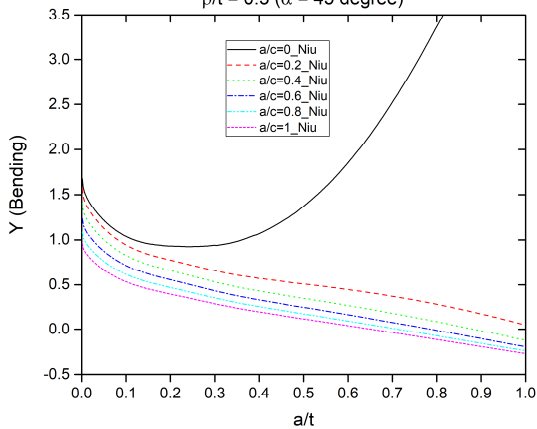


$Y_m$

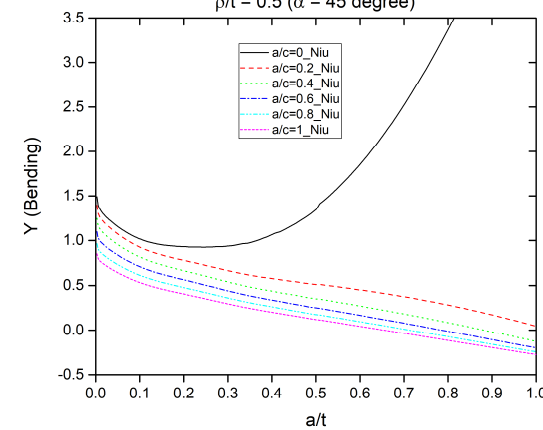
$\rho/t = 0.1$  ( $\alpha = 45^\circ$ )



$\rho/t = 0.3$  ( $\alpha = 45^\circ$ )



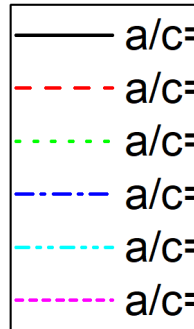
$\rho/t = 0.5$  ( $\alpha = 45^\circ$ )



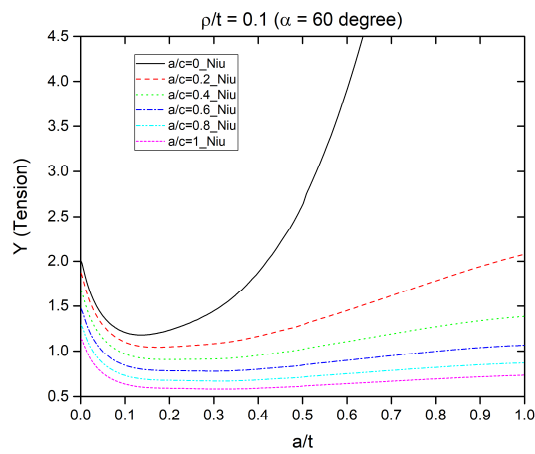
$Y_b$

# Stress Intensity Factors

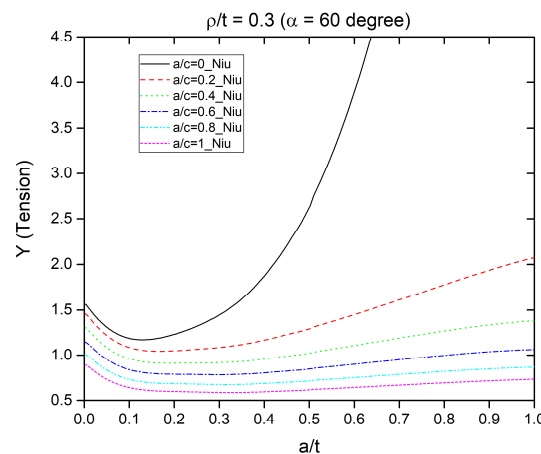
Distribution of  $Y_m$  and  $Y_b$  ( $\alpha = 60^\circ$ )



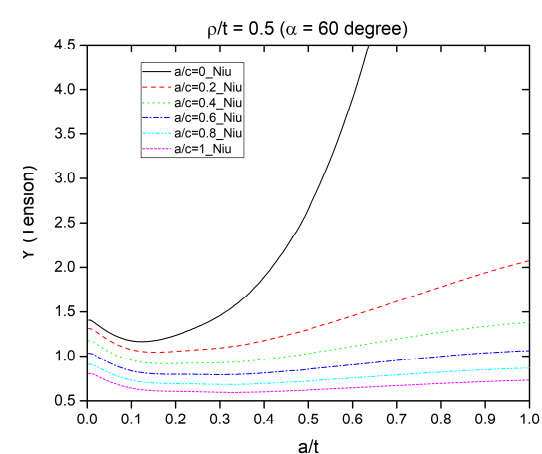
(a)  $\rho/t = 0.1$



(b)  $\rho/t = 0.3$

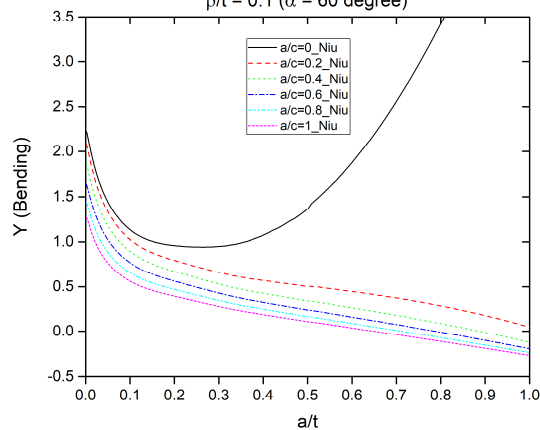


(c)  $\rho/t = 0.5$

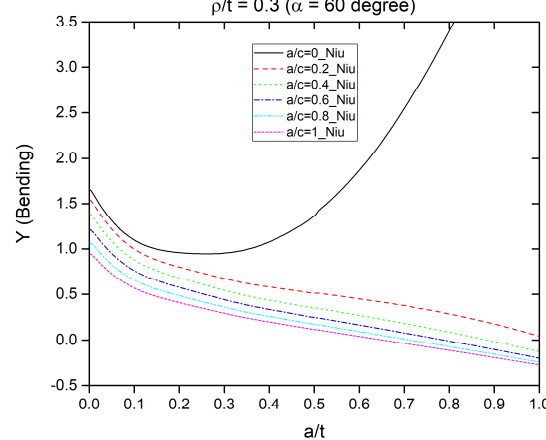


$Y_m$

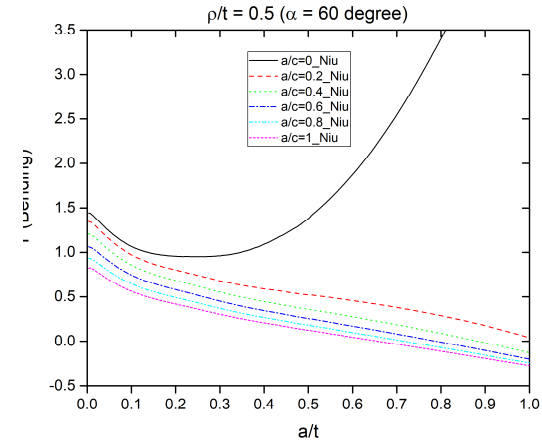
$\rho/t = 0.1$  ( $\alpha = 60$  degree)



$\rho/t = 0.3$  ( $\alpha = 60$  degree)



$\rho/t = 0.5$  ( $\alpha = 60$  degree)



$Y_b$



# Stress Intensity Factors

## Discussion:

Geometric correction factors  $Y_m$  and  $Y_b$  change along the crack depth  $a/t$

Weld angle  $\alpha$ , weld toe radius  $\rho/t$ , and crack aspect ratio  $a/c$  will affect the distributions  $Y_m$  and  $Y_b$

Edge crack cases ( $\frac{a}{c} = 0$ ) have higher  $Y_m$  and  $Y_b$  compared to semi-elliptical crack cases ( $\frac{a}{c} > 0$ )

Smaller weld toe radius corresponds to higher  $Y$  (or equivalently, SIF), which means it will have a shorter fatigue life and makes sense in reality. Similarly, larger weld angle induces higher  $Y$ , and will have shorter life compared to smaller weld angle cases, which can be understood since the stress concentration effect is enhanced with larger angles.

$Y_m$  and  $Y_b$  are functions of weld angle  $\alpha$ , weld toe radius  $\rho/t$ , and crack aspect ratio  $a/c$

# Generalized Stress Parameter Approach

Crack life can be estimated by integrating the Paris' Law

$$\frac{da}{dN} = C(\Delta K)^m$$
$$\Delta K = (Y_m \Delta \sigma_m + Y_b \Delta \sigma_b) \sqrt{\pi a}$$

$$N = \int \frac{1}{C(\Delta K)^m} da = \frac{1}{C} \cdot t^{1-\frac{m}{2}} \cdot (\Delta \sigma_s)^{-m} \cdot \int \frac{1}{\left( \sqrt{\frac{\pi a}{t}} [Y_m(1-r_b) + Y_b r_b] \right)^m} d\left(\frac{a}{t}\right)$$

$$= \frac{1}{C} \cdot t^{1-\frac{m}{2}} \cdot (\Delta \sigma_s)^{-m} \cdot I$$

$$= \int \frac{1}{\left( \sqrt{\frac{\pi a}{t}} [Y_m(1-r_b) + Y_b r_b] \right)^m} d\left(\frac{a}{t}\right) \text{ is the crack propagation integral}$$

# Generalized Stress Parameter Approach

Organizing the stress term to the left hand side, we have

$$\Delta\sigma_s = C^{-\frac{1}{m}} \cdot t^{\frac{2-m}{2m}} \cdot I^{\frac{1}{m}} \cdot N^{-\frac{1}{m}}$$

Maddox defined a so-called “generalized stress parameter” (GSP) as

$$\Delta S = \frac{t^{\frac{m-2}{2m}}}{I^{\frac{1}{m}}} \Delta\sigma_s$$

$t^{\frac{m-2}{2m}}$  can be seen as a thickness correction for the cases of  $t \neq 1$ , in order to compensate for the effect induced by different thicknesses of welded structures

# Generalized Stress Parameter Approach

re:

$$= \int \frac{1}{\left( \sqrt{\frac{\pi a}{t}} [Y_m(1-r_b) + Y_b r_b] \right)^m} d\left(\frac{a}{t}\right)$$

$Y_m$  and  $Y_b$  are in terms of weld angle  $\alpha$ , weld toe radius  $\frac{t}{\rho}$  and crack aspect ratio

have

$$\Delta S = \frac{t^{\frac{m-2}{2m}}}{I\left(r_b, \alpha, \frac{\rho}{t}, \frac{a}{c}\right)^{\frac{1}{m}}} \Delta \sigma_s$$

Diagram illustrating the components of the stress parameter approach:

- Thickness effect**: Points to the term  $t^{\frac{m-2}{2m}}$ .
- Global geometric effect**: Points to the term  $\Delta \sigma_s$ .
- Loading mode effect**: Points to the term  $I\left(r_b, \alpha, \frac{\rho}{t}, \frac{a}{c}\right)^{\frac{1}{m}}$ .
- Local geometric effect**: Points to the term  $I\left(r_b, \alpha, \frac{\rho}{t}, \frac{a}{c}\right)^{\frac{1}{m}}$ .

# Generalized Stress Parameter Approach

$I\left(r_b, \alpha, \frac{\rho}{t}, \frac{a}{c}\right) = \int_{a_i/t}^{a_f/t} \frac{1}{\left(\sqrt{\frac{\pi a}{t}} [Y_m(1-r_b) + Y_b r_b]\right)^m} d\left(\frac{a}{t}\right)$  is the crack propagation integral

Carrying out numerical integrations on  $I\left(r_b, \alpha, \frac{\rho}{t}, \frac{a}{c}\right)^{\frac{1}{m}}$  with  $a_i/t = 0.01$ ,  $a_f/t = 1$ ,  $a/c$  assumed to be 0.25, and the fatigue crack growth factor  $m$  is taken as 3.0 for steel, a simple parametric expression is obtained by multivariate regression

$$I\left(r_b, \alpha, \frac{\rho}{t}\right)^{\frac{1}{m}} = e^{6.939r_b - 8.174} + 0.097r_b - 0.415\alpha + 0.066\frac{\rho}{t} + 0.496 * \alpha * \frac{\rho}{t} + 1.58$$

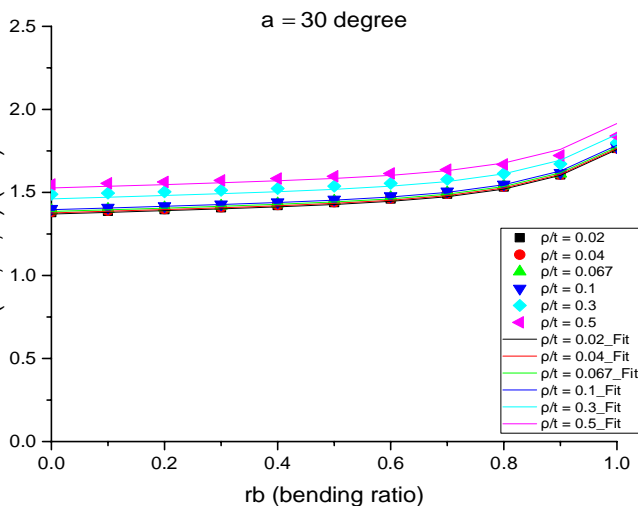
Diagram illustrating the parametric expression for the crack propagation integral, with annotations for the effects of various parameters:

- Weld angle effect:** Points to the term  $-0.415\alpha$ .
- Bending ratio effect:** Points to the terms  $e^{6.939r_b - 8.174}$  and  $0.097r_b$ .
- Weld toe radius effect:** Points to the term  $0.066\frac{\rho}{t}$ .

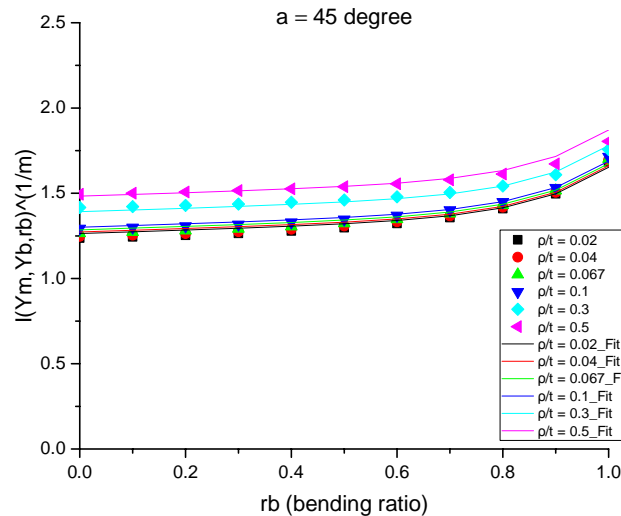
# Generalized Stress Parameter Approach

Comparison between regression equation and numerical data of  $I \left( r_b, \alpha, \frac{\rho}{t} \right)^{\frac{1}{m}}$

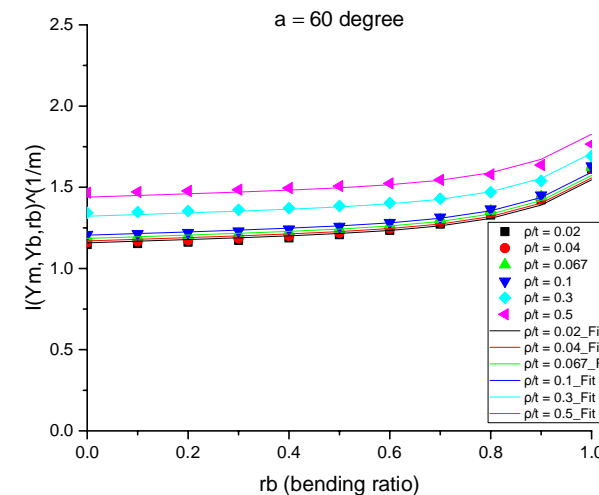
(a)  $\alpha = 30^\circ$



(b)  $\alpha = 45^\circ$

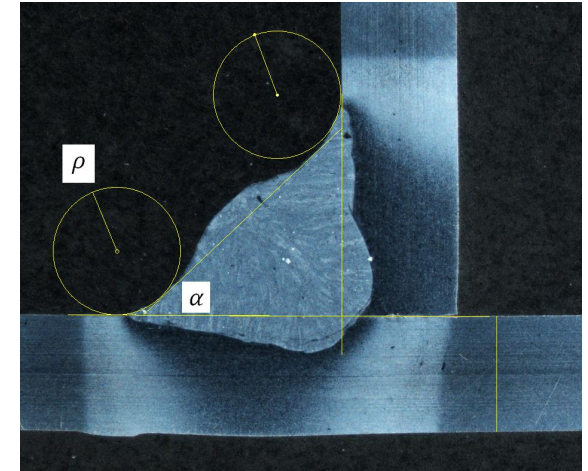
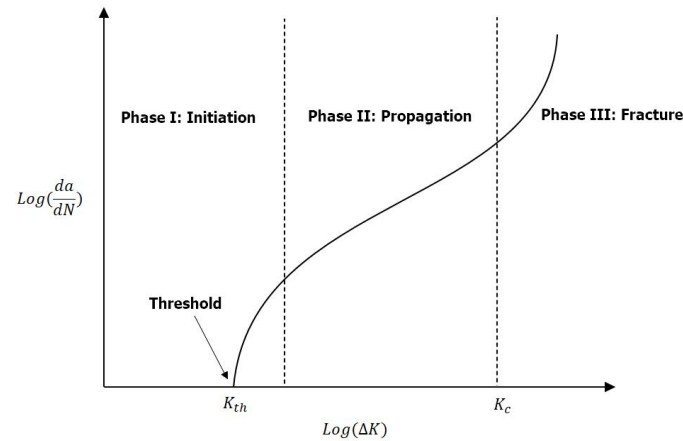
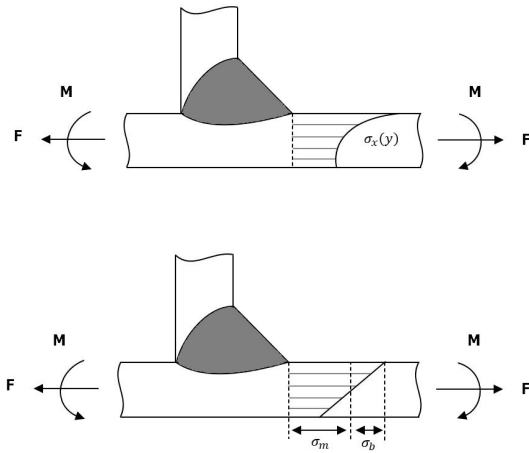


(c)  $\alpha = 60^\circ$



The distribution and trend of  $I \left( r_b, \alpha, \frac{\rho}{t} \right)^{\frac{1}{m}}$  are well captured by the proposed equation

# Generalized Stress Parameter Approach



Global (Structural) geometric effect

Crack Propagation

Local geometric effect

GSP

$$\Delta S = \frac{t^{\frac{m-2}{2m}}}{I\left(r_b, \alpha, \frac{\rho}{t}\right)^{\frac{1}{m}}} \Delta \sigma_s$$

# Mean Stress Correction

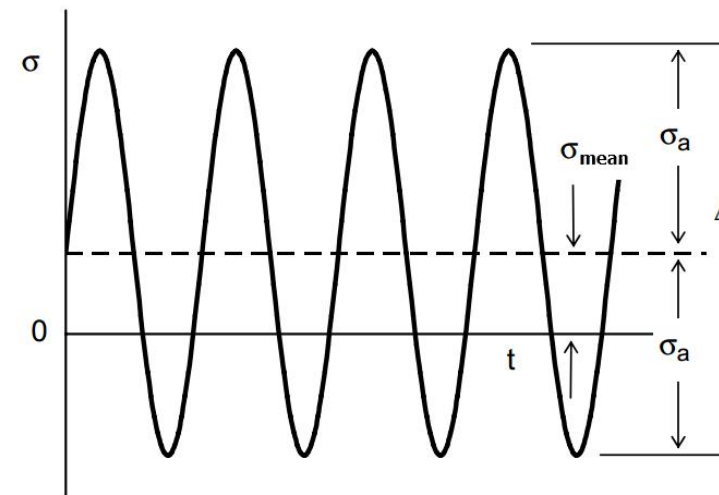
with, Watson, and Topper (SWT) equation

$$\sigma_{ar} = \sqrt{\sigma_{max} * \sigma_a}$$

Alternatively,

$$\Delta\sigma_r = \sqrt{\frac{2}{1-R}} \Delta\sigma_s$$

where  $\Delta\sigma_r$  is the fully reversed structural stress range



$$\Delta S = \frac{\left(\frac{2}{1-R}\right)^{\frac{1}{2}}}{t^{\frac{2-m}{2m}} * I\left(r_b, \alpha, \frac{\rho}{t}\right)^{\frac{1}{m}}} \Delta\sigma_s$$



# Comparison with Equivalent Structural Stress Method

Similarity:

$$\Delta \sigma^* = \Delta \sigma \left( \frac{B}{I} \right)^{(m/2)-1} \quad (\text{Maddox, 1974})$$

Reference:

GSP

$$\Delta S = \frac{t^{\frac{m-2}{2m}}}{I(r_b, \alpha, \frac{\rho}{t}, \frac{\alpha}{c})^{\frac{1}{m}}} \Delta \sigma_s$$

Annotations for GSP equation:

- Thickness effect (points to  $t^{\frac{m-2}{2m}}$ )
- Global geometric effect (points to  $I(r_b, \alpha, \frac{\rho}{t}, \frac{\alpha}{c})^{\frac{1}{m}}$ )
- Loading mode effect (points to  $\Delta \sigma_s$ )
- Local geometric effect (points to  $I(r_b, \alpha, \frac{\rho}{t}, \frac{\alpha}{c})^{\frac{1}{m}}$ )

$$I(r_b, \alpha, \frac{\rho}{t})^{\frac{1}{m}} = e^{6.939r_b - 8.174} + 0.097r_b - 0.415\alpha + 0.066\frac{\rho}{t} + 0.496 * \alpha * \frac{\rho}{t} + 1.581$$

Annotations for GSP equation:

- Weld angle effect (points to  $\alpha$ )
- Bending ratio effect (points to  $r_b$ )
- Weld toe radius effect (points to  $\frac{\rho}{t}$ )

ESS

Equivalent Structural Stress Range Equation

$$\Delta S_s = \frac{\Delta \sigma_s}{t^{\frac{2-m}{2m}} \cdot I(r)^{\frac{1}{m}}}$$

Annotations for ESS equation:

- Structural Stress Range (points to  $\Delta \sigma_s$ )
- thickness (points to  $t^{\frac{2-m}{2m}}$ )
- Loading Mode effects (points to  $I(r)^{\frac{1}{m}}$ )

(Displacement control,  $a/c=0.6$ ; Load control,  $a/c=0.2$ )

$$I(r)^{1/m} = 2.1549r^6 - 5.0422r^5 + 4.8002r^4 - 2.0694r^3 + 0.561r^2 + 0.0097r + 1.5426$$

$$I(r)^{1/m} = 0.0011r^6 + 0.0767r^5 - 0.0988r^4 + 0.0946r^3 + 0.0221r^2 + 0.014r + 1.2223,$$

Bending ratio effect only

# Comparison with Equivalent Structural Stress Method

Differences	GSP	ESS
Paris' Law	Original form $\left(\frac{da}{dN} = C(\Delta K)^m\right)$	Two-stage model $\left(\frac{da}{dN} = C(M_{kn})^n(\Delta K)^m\right)$
SIF calculation	Glinka's weight function	Magnification factor $M_{kn}$
Crack shape assumption	Semi-elliptical ( $a/c=0.25$ )	Semi-elliptical ( $a/c=0.6$ for displacement control; $a/c=0.2$ for load control)
Weld local geometric effect	Explicitly considered (parameters $\alpha$ and $\frac{\rho}{t}$ are presented in $I\left(r_b, \alpha, \frac{\rho}{t}\right)$ )	Implicitly considered (But no dimension parameter is presented in $I(r)$ )

## Part II. Validation and Application

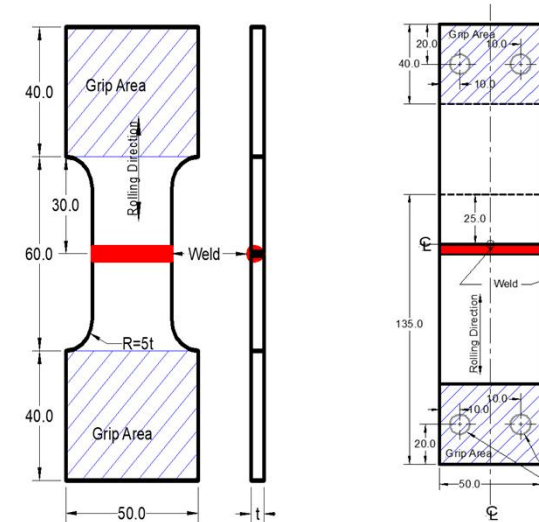
# upon Fatigue Test Results

Gas metal arc welding (GMAW)

Advanced high strength steel (AHSS)

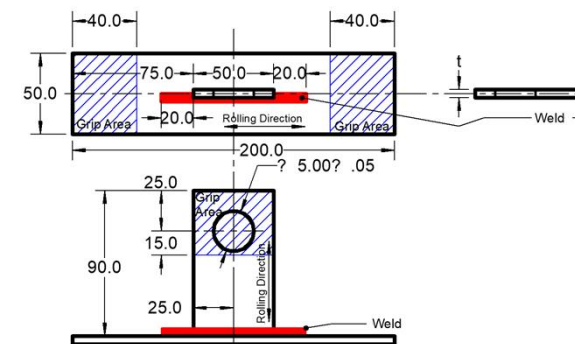
- 4 different steel grades (DP780, DP980, CP800, HRPO)
- 3 different specimen types
- 5 equal thickness combinations
- 2 unequal thickness combinations
- 2 loading ratios ( $R=0.1$  and  $R=0.3$ )

Thickness combinations						
1mm-1mm	2mm-2mm	1mm-2mm	1.4mm-1.4mm	-	-	-
1mm-1mm	2mm-2mm	1mm-2mm	1.4mm-1.4mm	2.5mm-2.5mm	1.4mm-2.5mm	4.9mm-4.9mm
1mm-1mm	2mm-2mm	1mm-2mm	1.4mm-1.4mm	2.5mm-2.5mm	-	4.9mm-4.9mm



(a)

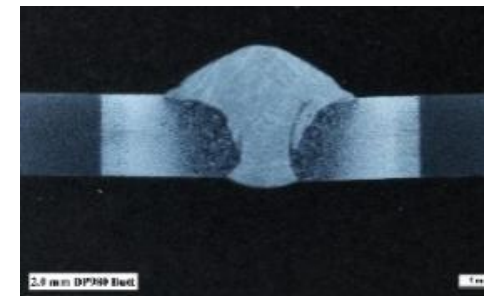
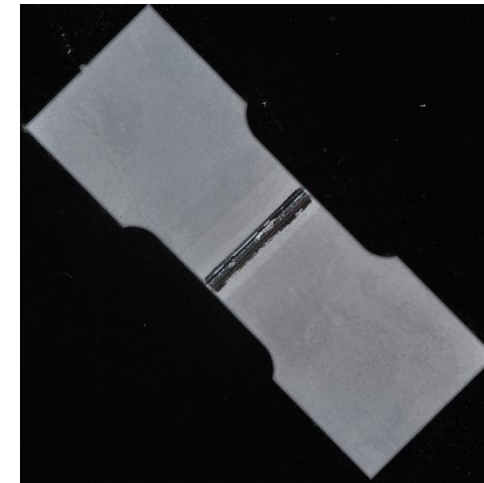
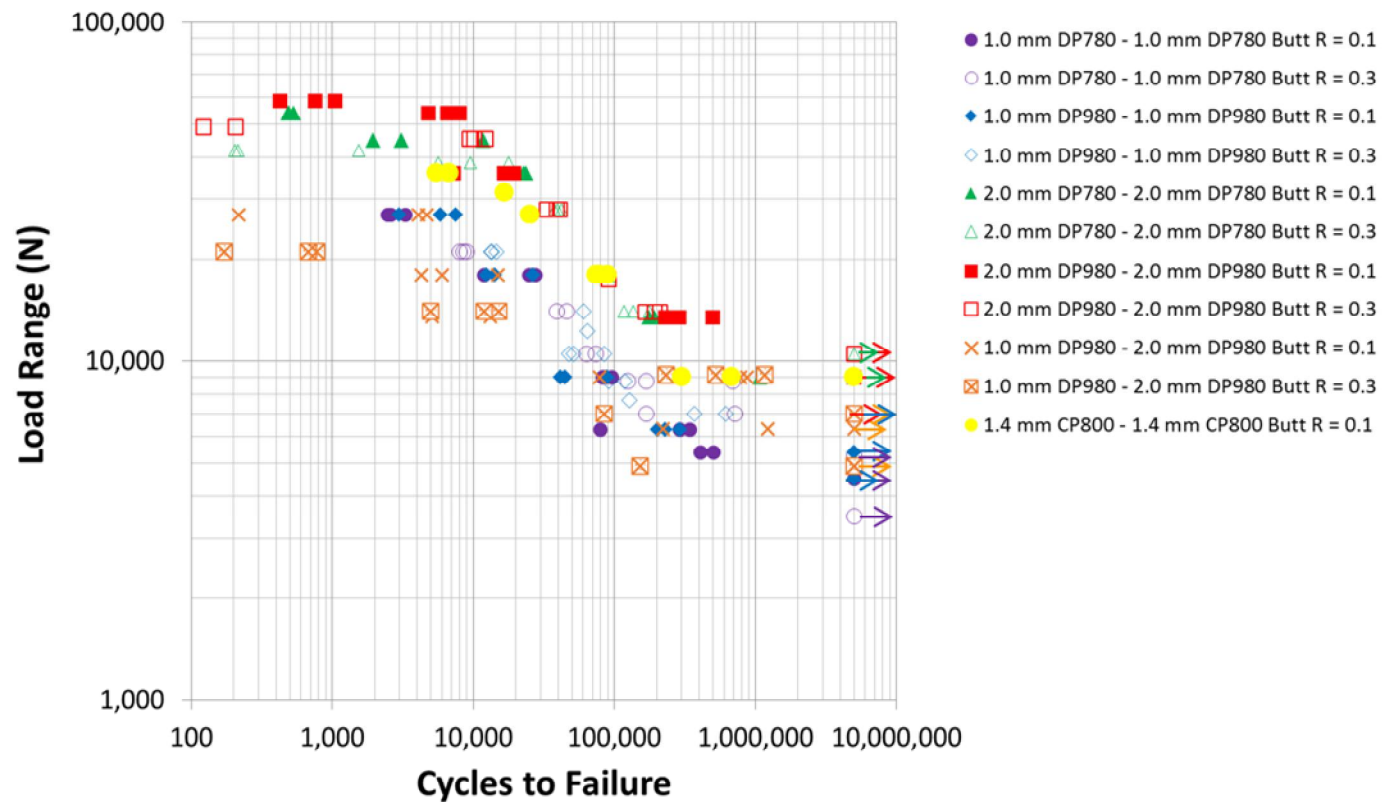
(b)



(c)

# upon Fatigue Test Results

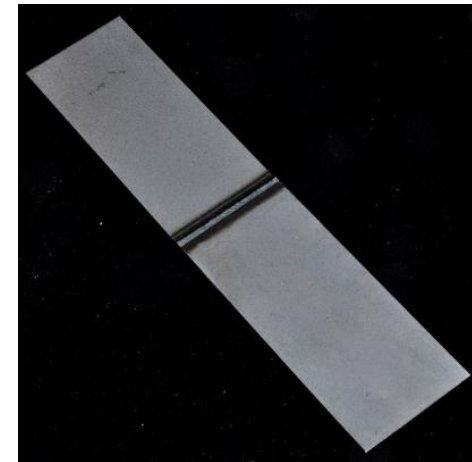
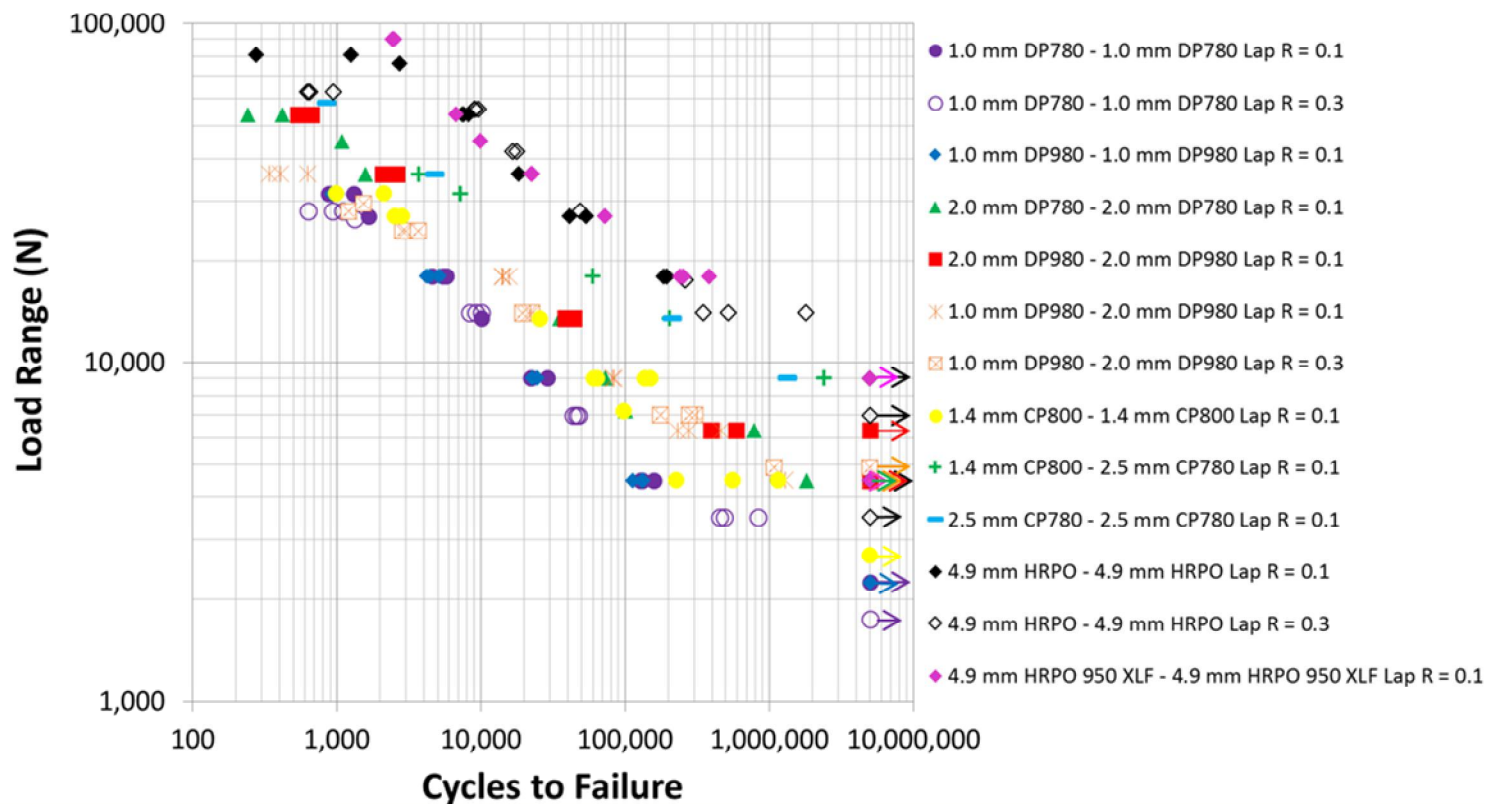
## Butt Joint



2.0 mm DP980  
2.0 mm DP980

# upon Fatigue Test Results

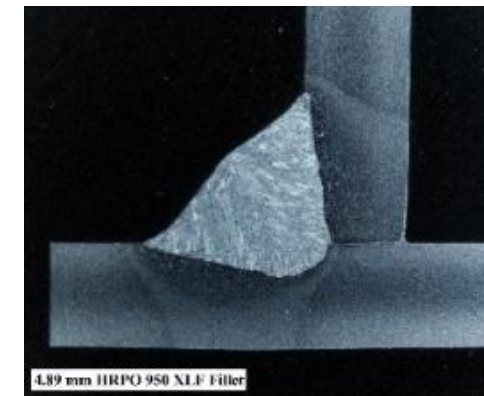
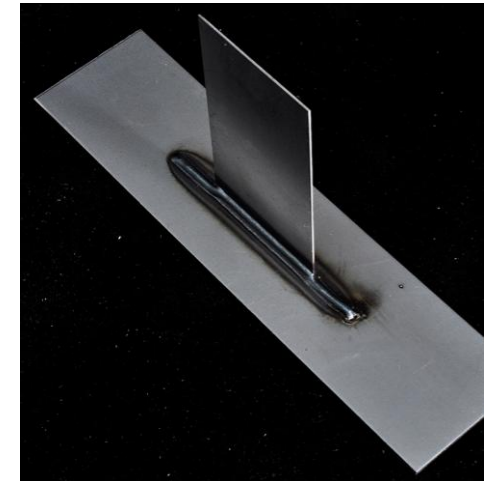
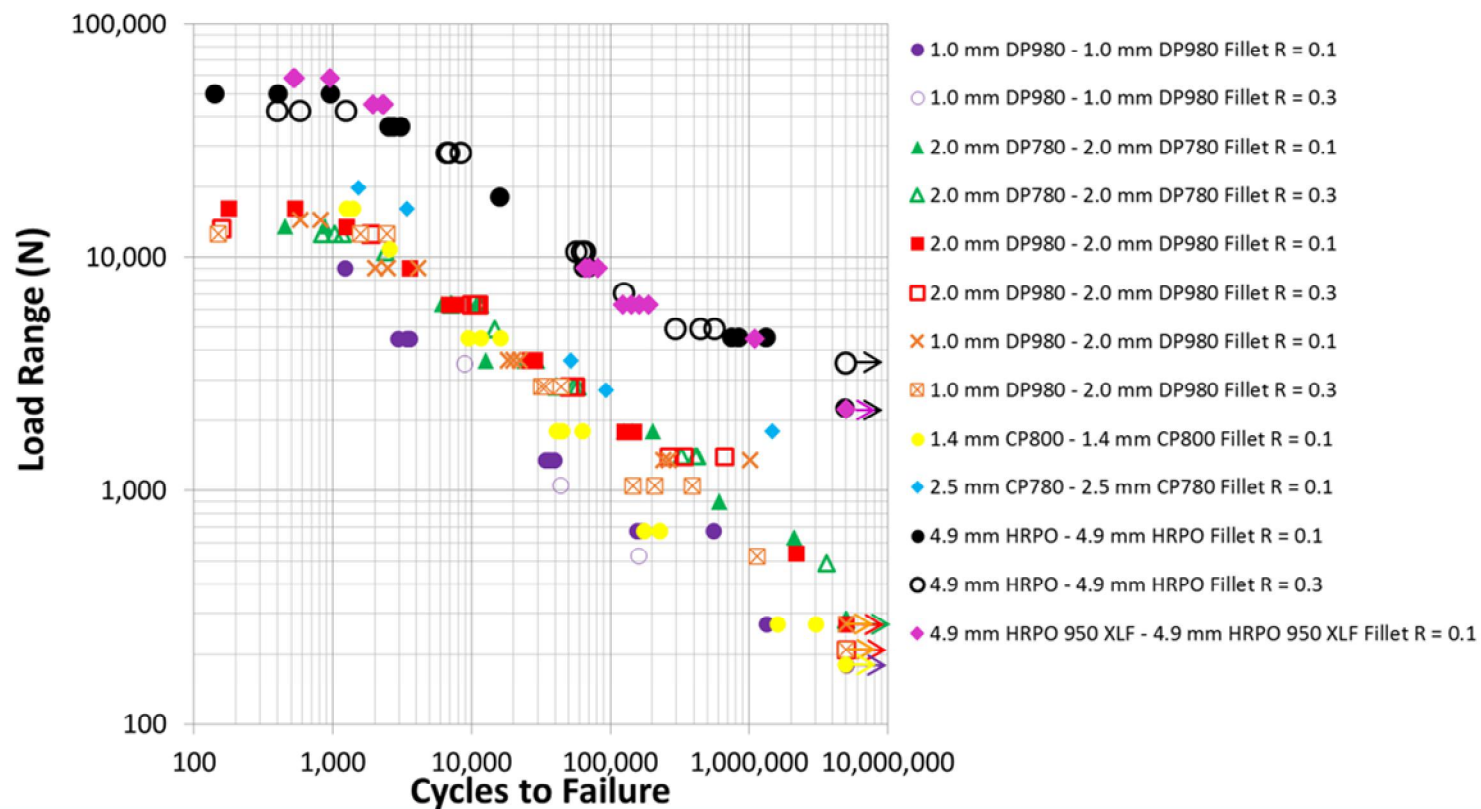
## Lap-Shear Joint



2.5 mm CP780  
2.5 mm CP780

# upon Fatigue Test Results

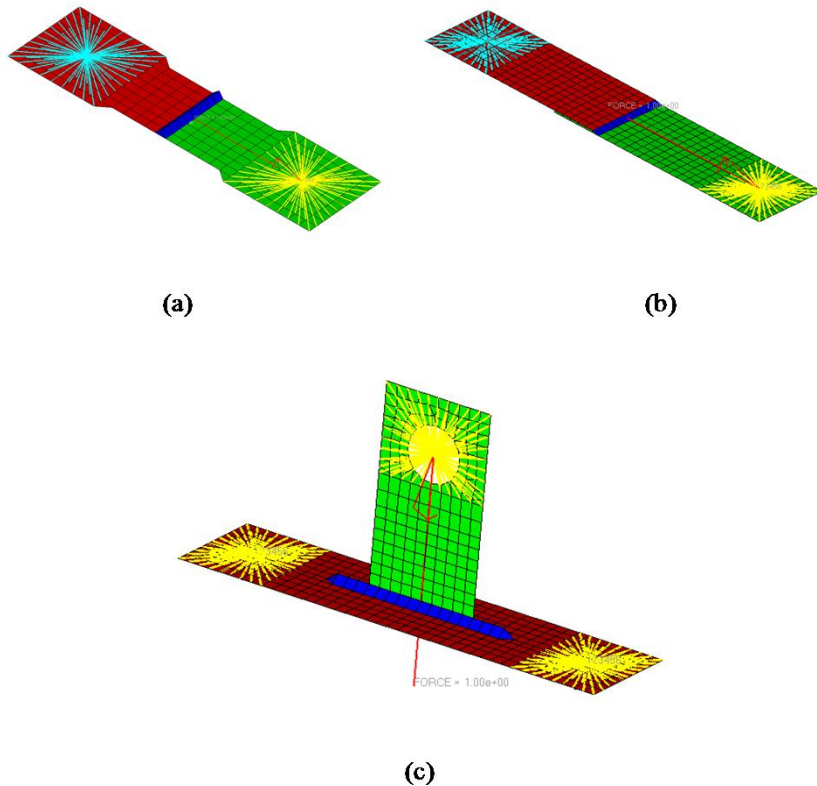
## Fillet Joint



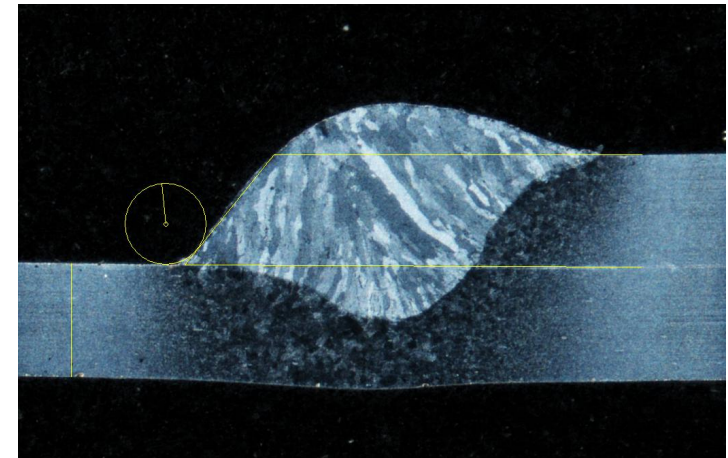
4.9 mm HRPO 950 XLF  
4.9 mm HRPO 950 XLF



# upon Fatigue Test Results



coarsely meshed models of (a) butt welded joint, (b) lap welded joint, and (c) fillet welded joint



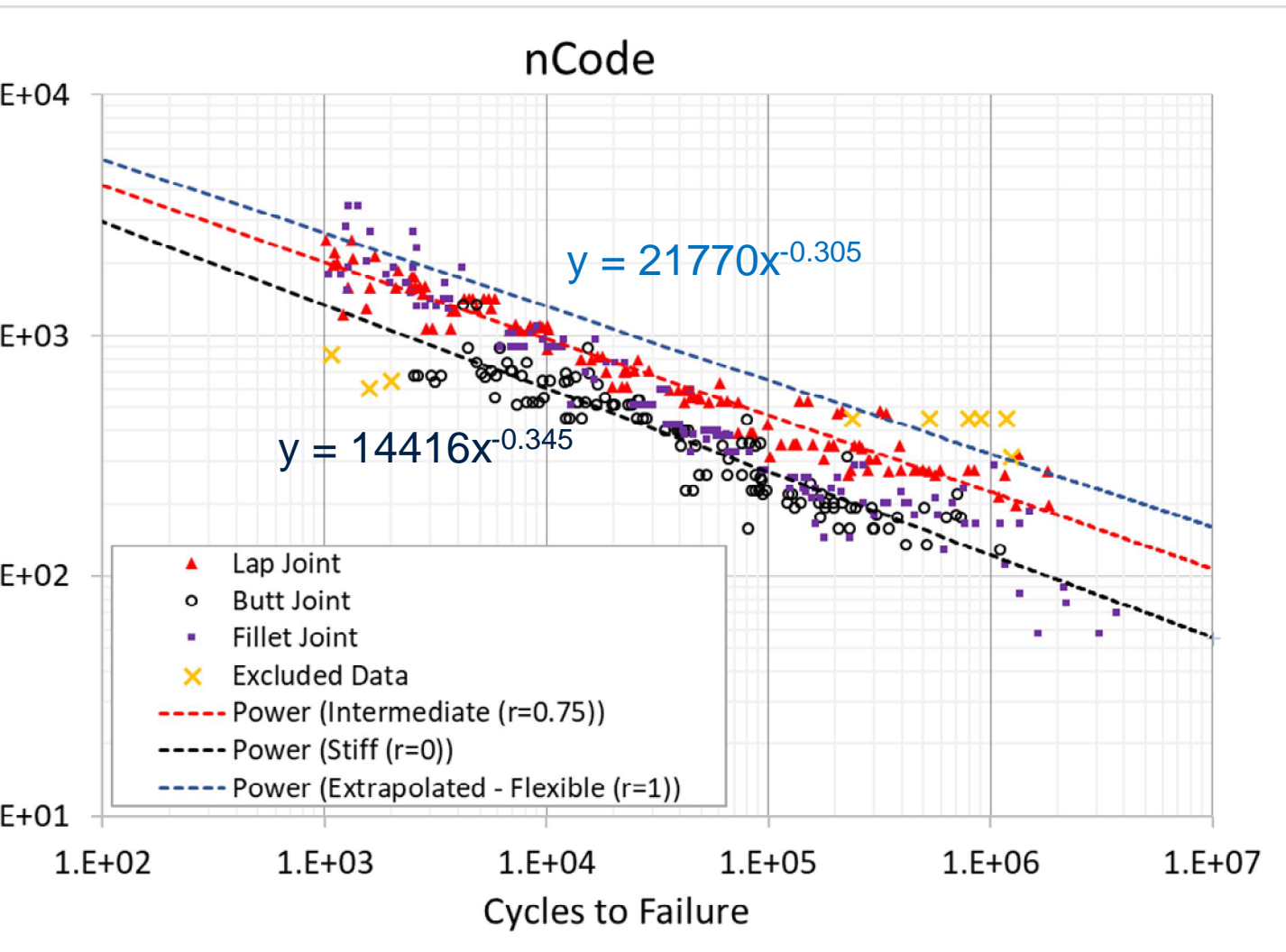
Cross-section photo of the lap joint with 1mm thickness.

With local dimensions measured (GSP) can be calculated as

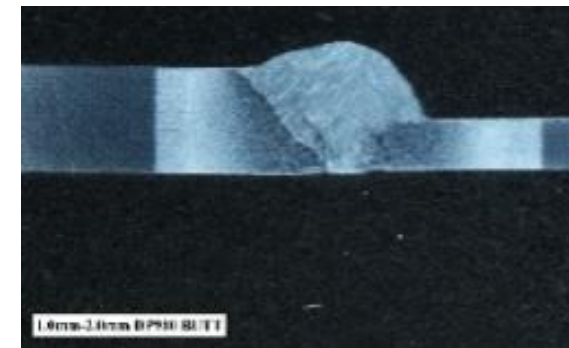
$$\Delta S = \frac{t^{\frac{m-2}{2m}}}{I\left(r_b, \alpha, \frac{\rho}{t}\right)^{\frac{1}{m}}} \Delta \sigma_s$$



# S-N Curves for nCode DesignLife

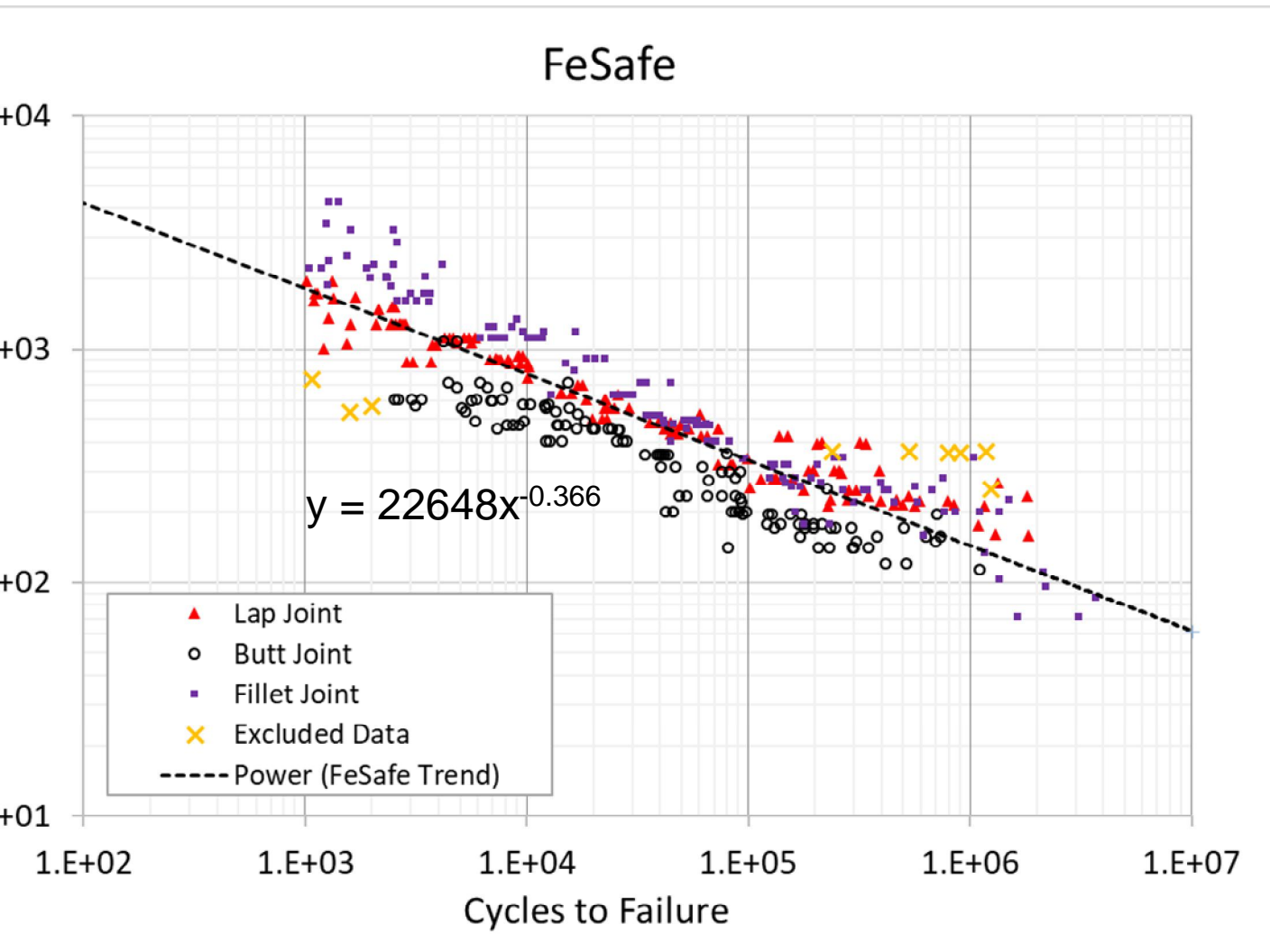


Butt joint 1mm-2mm data excluded, as showing flat in S-N curves, which may be caused by large misalignment

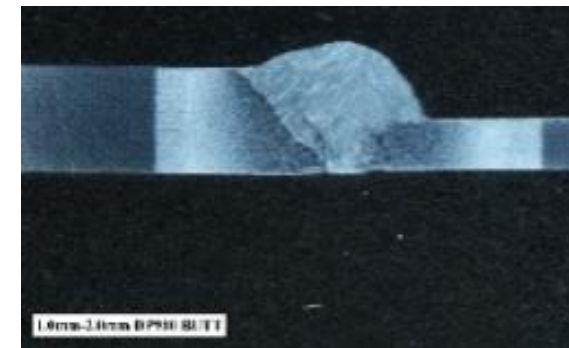


1.0 mm DP980  
2.0 mm DP980

# S-N Curve for Fe-Safe

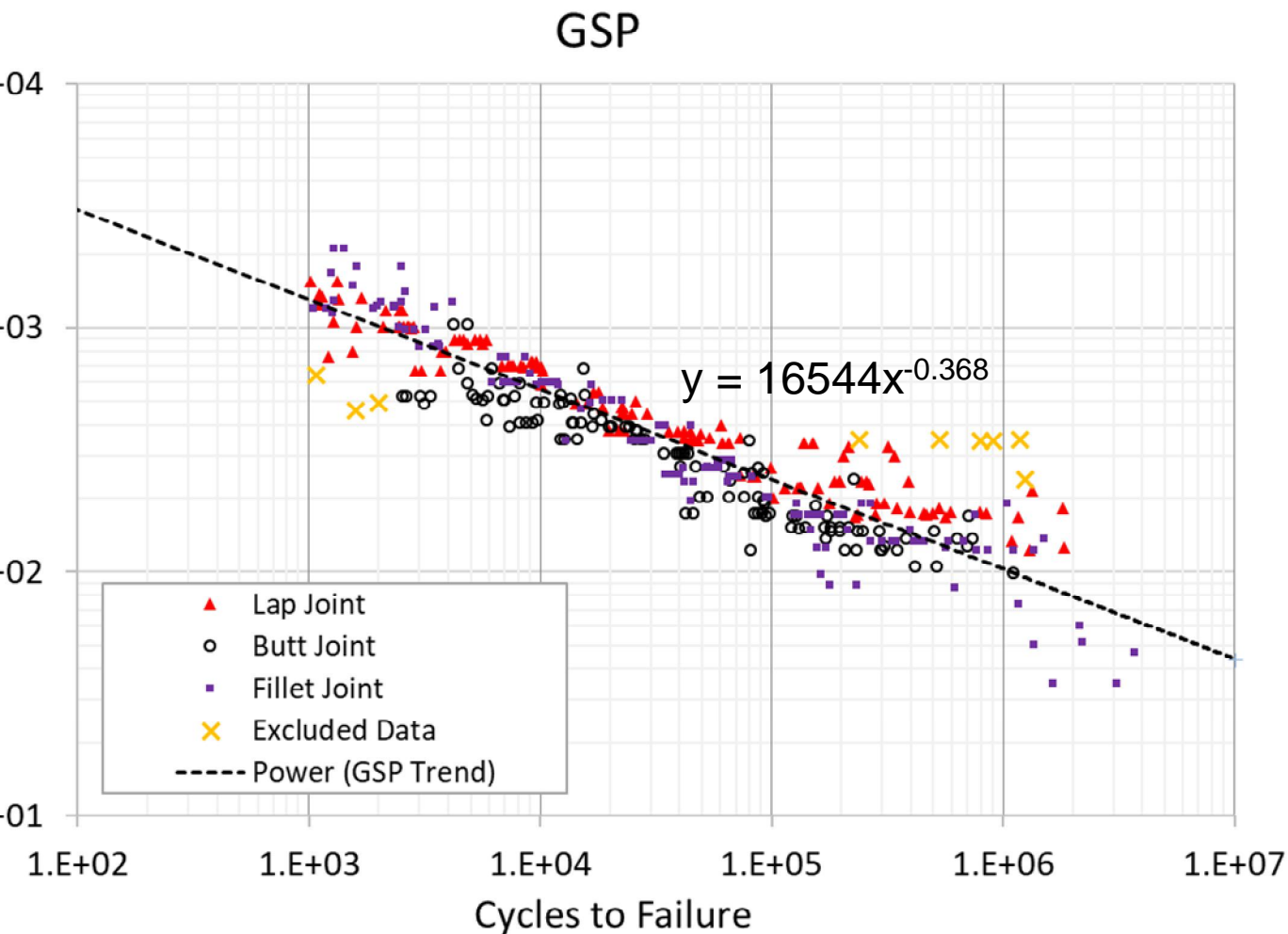


Butt joint 1mm-2mm data excluded, as showing flat in S-N curves, which may be caused by large misalignment

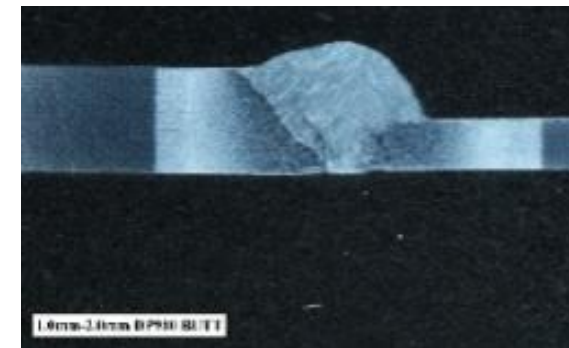


1.0 mm DP980  
2.0 mm DP980

# S-N Curve for GSP



Butt joint 1mm-2mm data excluded, as showing flat in S-N curves, which may be caused by large misalignment



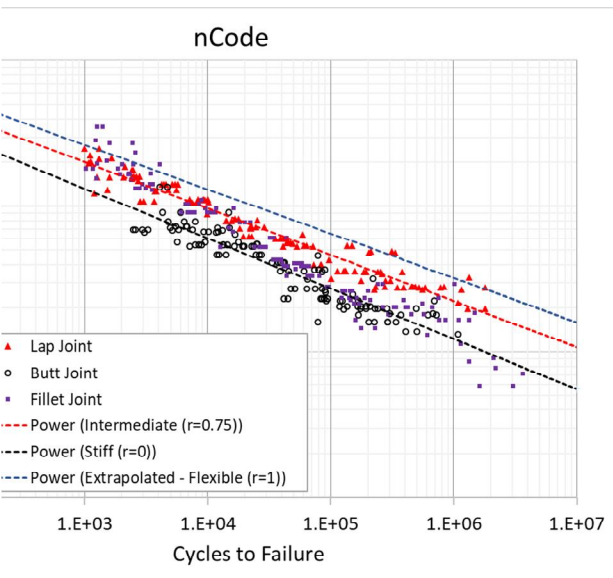
1.0 mm DP980  
2.0 mm DP980

# S-N Curve Comparison

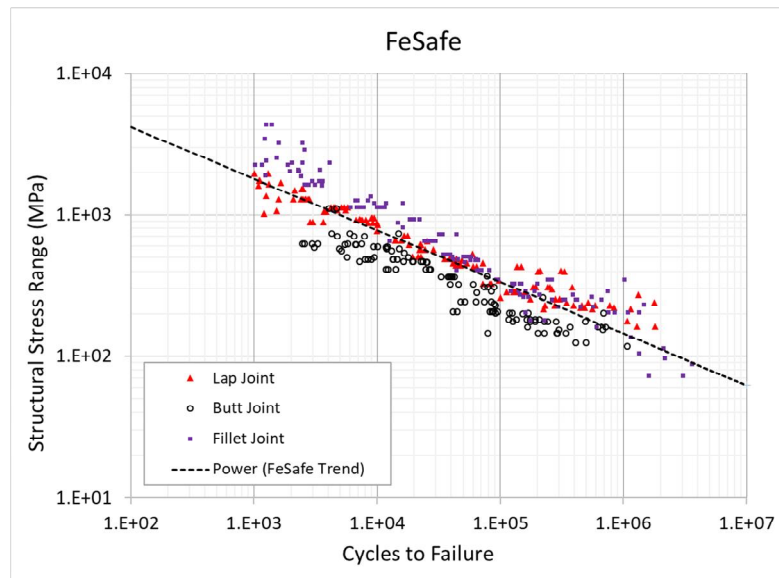
GSP has the best consolidation for coupon fatigue test data

Generated S-N curves then will be used to predict the fatigue life of welded component

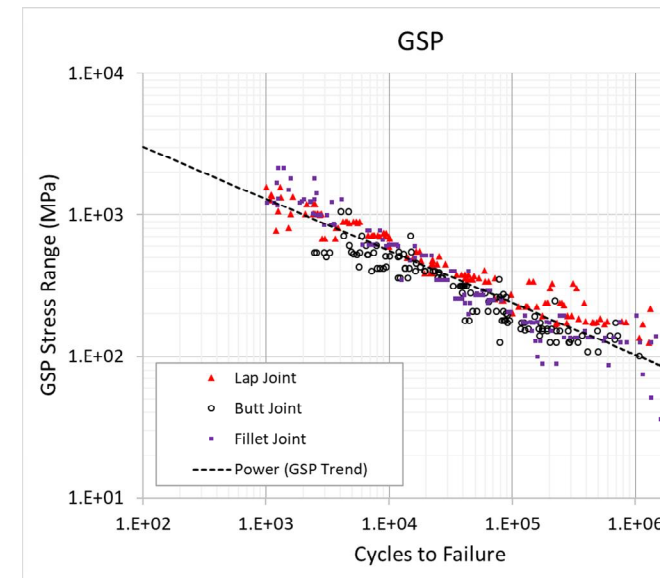
nCode



Fe-Safe

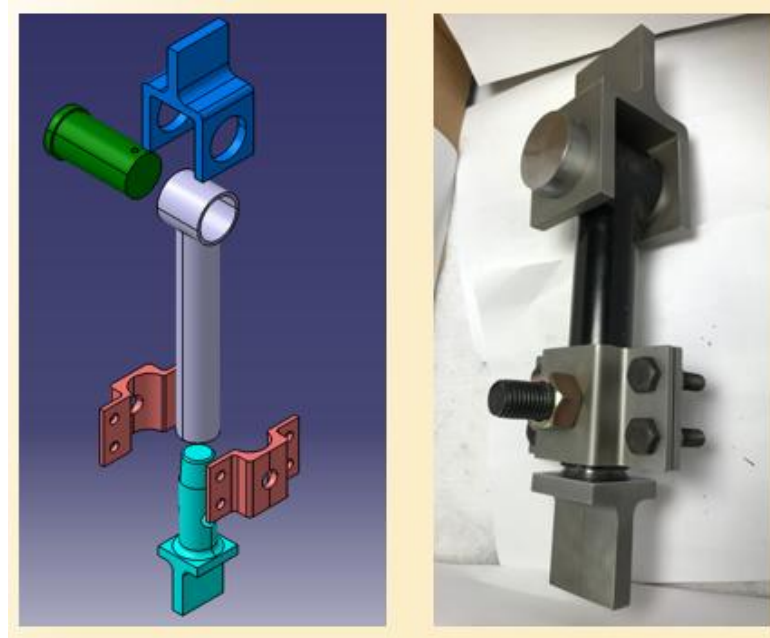
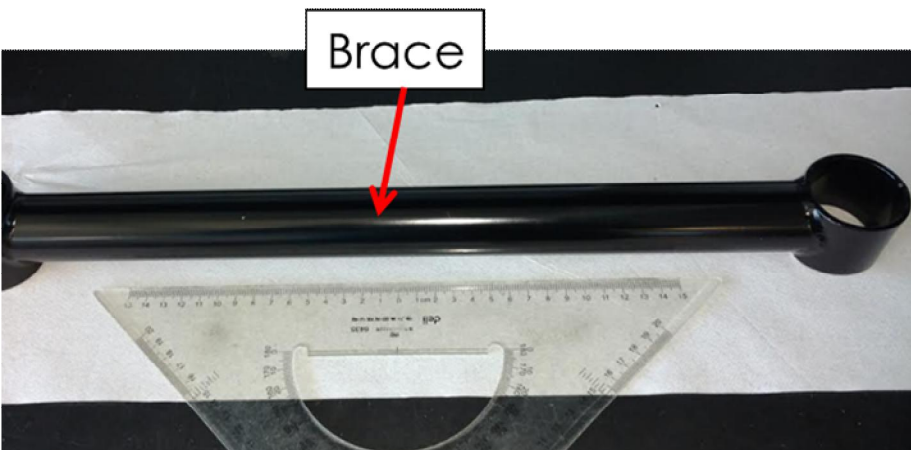


GSP



# The Prediction of Welded Component

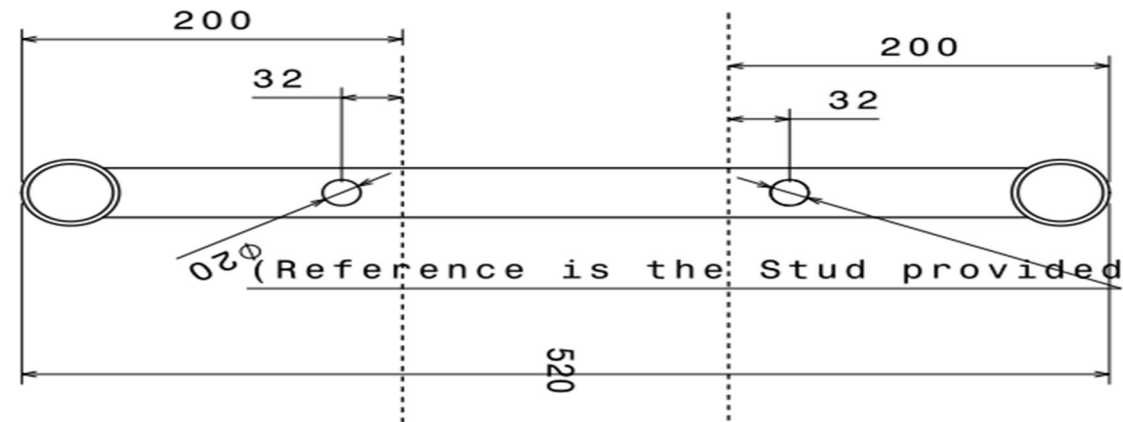
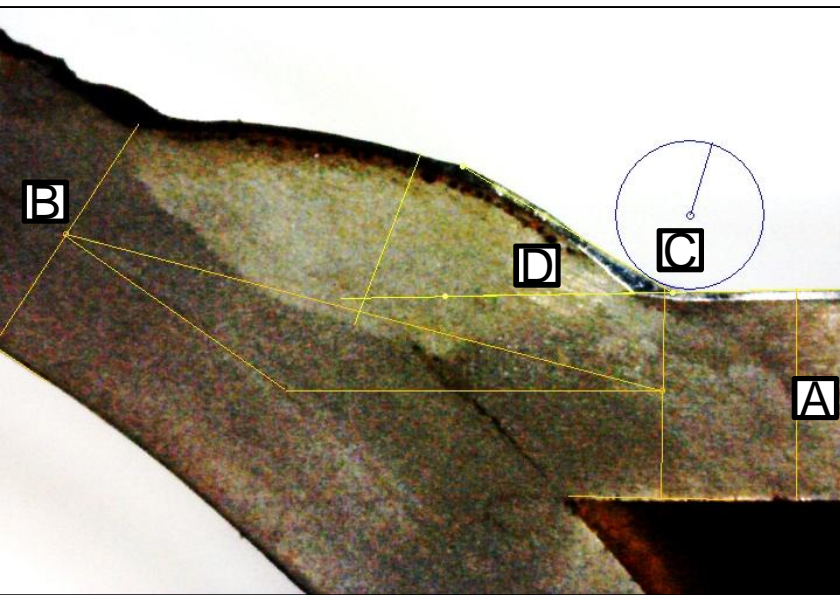
Ford Mustang control arm which has a tubular construction was chosen for testing and validation





# the Prediction of Welded Component

Cross sections are cut and polished to measure the weld profile dimensions for GSP calculation



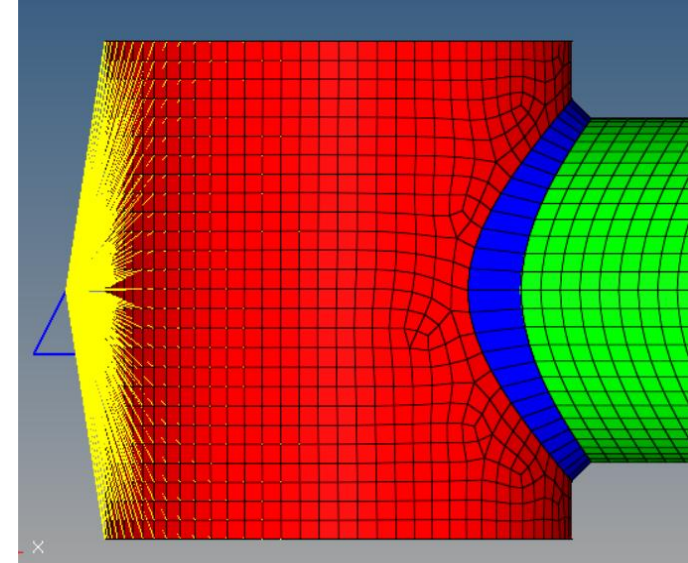
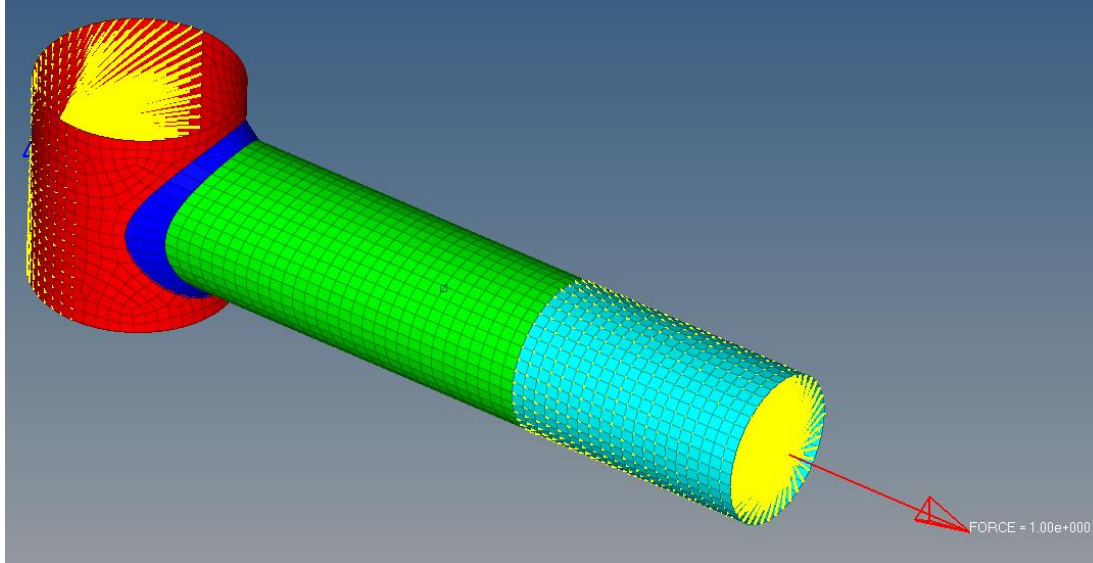
	Measurement	Value
A	Brace thickness	2.58 mm
B	Chord thickness	3.25 mm
C	Toe radius	0.92 mm
D	Weld Angle	31.94 degree

# e Prediction of Welded Component

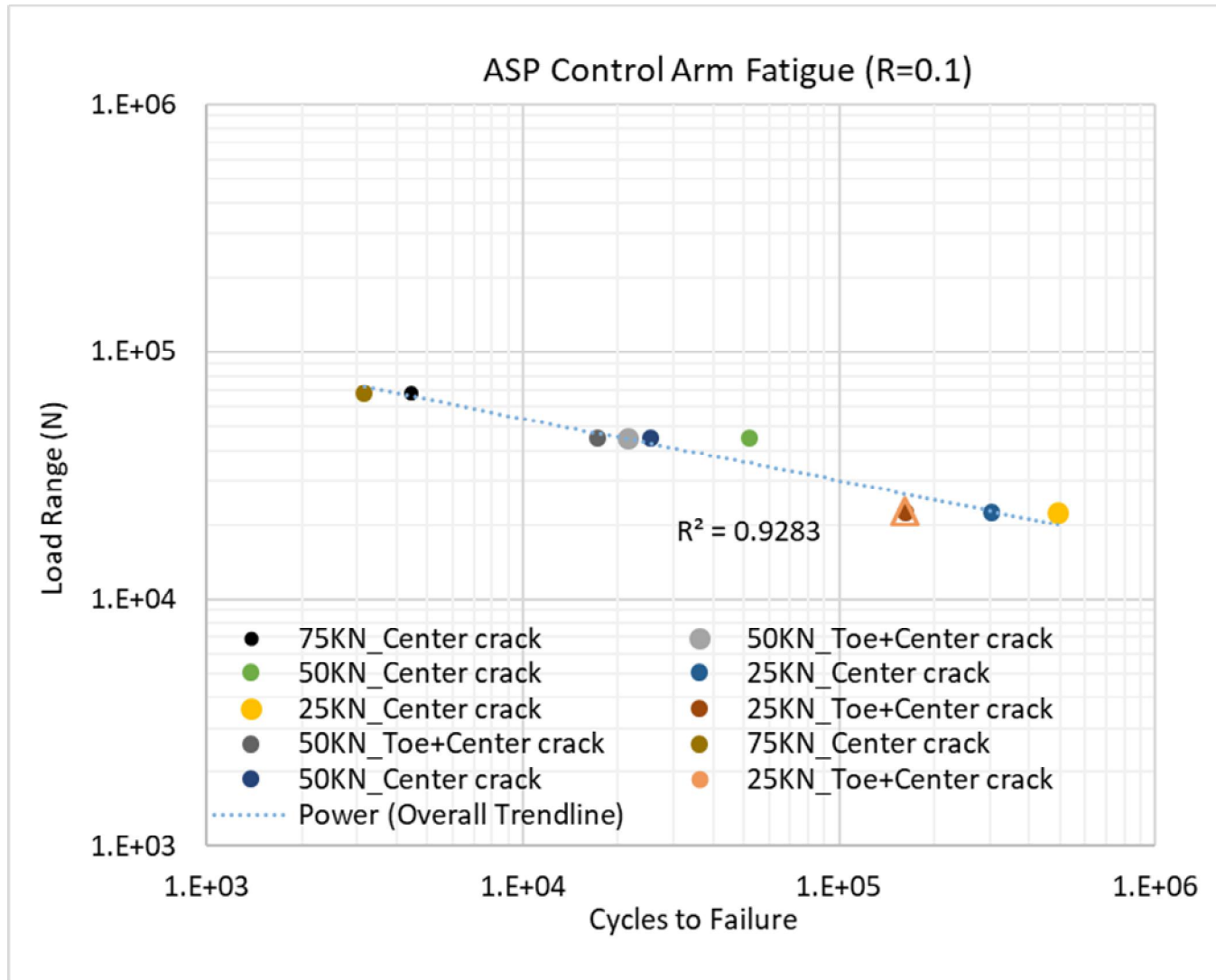
FEA model is built according to the measured average dimensions and nCode modeling guideline

The mesh size for chord and brace is around 2 mm

Life prediction is made before testing



# e Prediction of Welded Component





# e Prediction of Welded Component

e below SN curves obtained from coupon fatigue data will be used for pred  
e control arm

Approach	Bending Ratio	Trendline Equation
<b>nCode</b>	r=0 (stiff)	$y = 14416x^{-0.345}$
	r=1 (flex)	$y = 21770x^{-0.305}$
<b>FeSafe</b>	Any bending ratio	$y = 22648x^{-0.366}$
<b>GSP</b>	Any bending ratio	$y = 165444x^{-0.368}$

# e Prediction Procedures – Constant Amplitude Testing

Coupon testing with  
different load ranges



Load Range vs. Life  
graph



FEA using load ranges  
as in testing



Fatigue life  
prediction



Establish S-N curve using different  
methods

# The Prediction of Constant Amplitude Testing

Minimum Bending Ratio = 0.462, less than  $r_{th} = 0.5$ , the weld is considered "flexible" and nCode S-N curve for  $r=0$  will be used

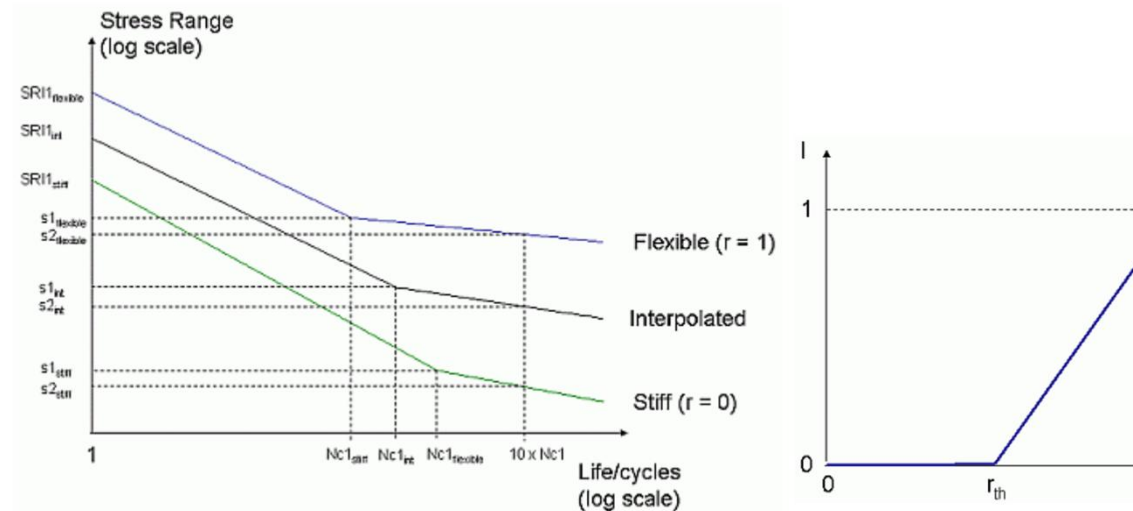
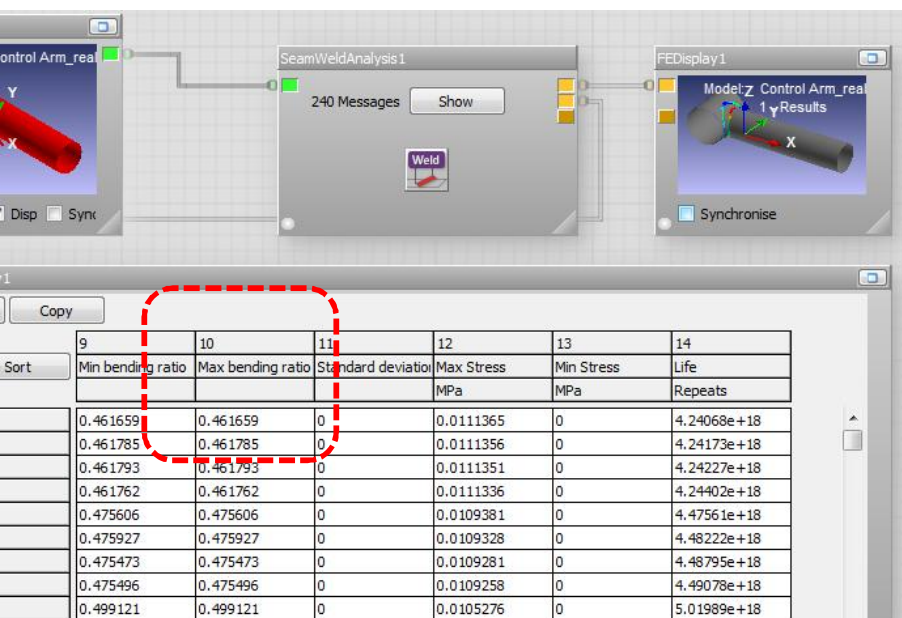
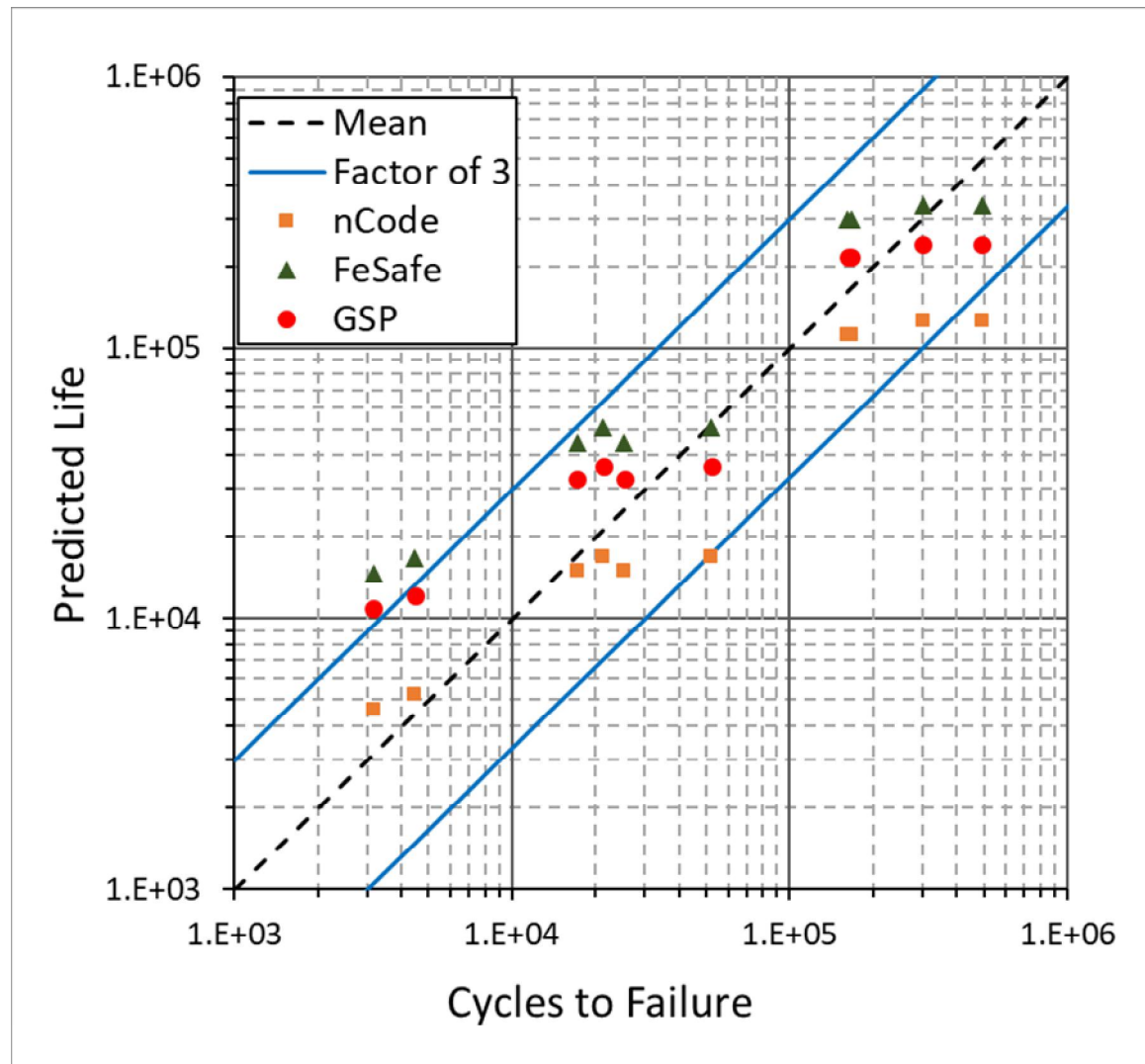
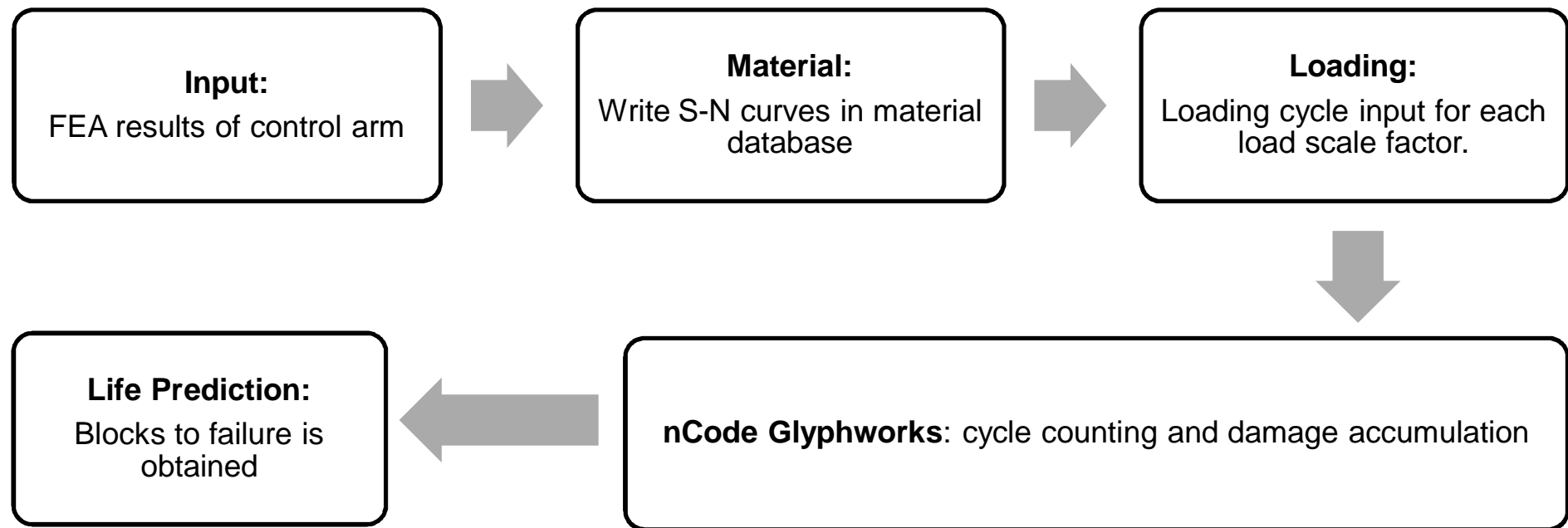


Fig. 5.5 (a) Interpolation between 'stiff' and 'bending' S-N curves (b) Interpolation

# Life Prediction of Constant Amplitude Testing



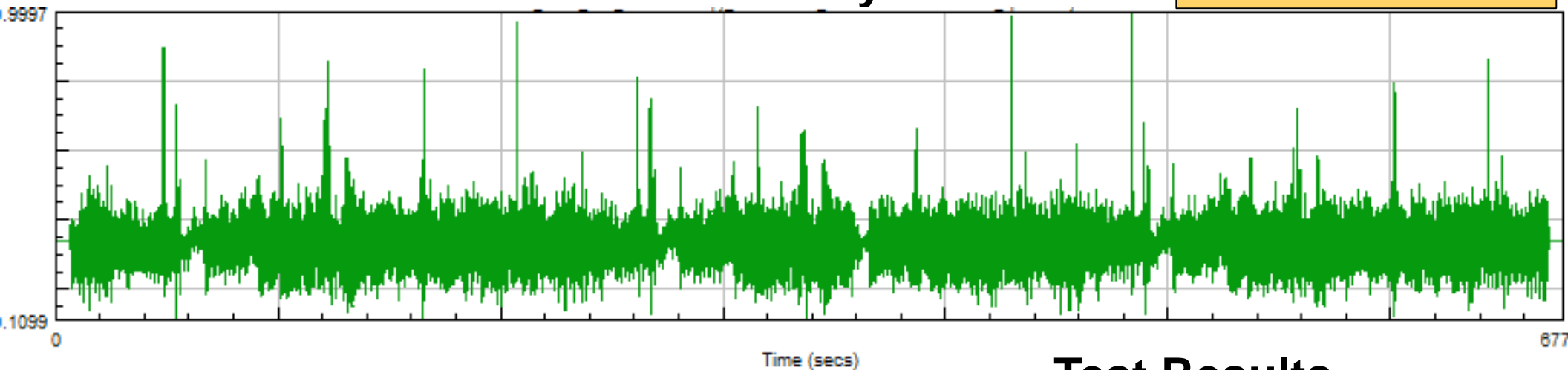
# e Prediction Procedures – Variable Amplitude Testing



# the Prediction of Variable Amplitude Testing

## Time History Plot

~680 seconds per block

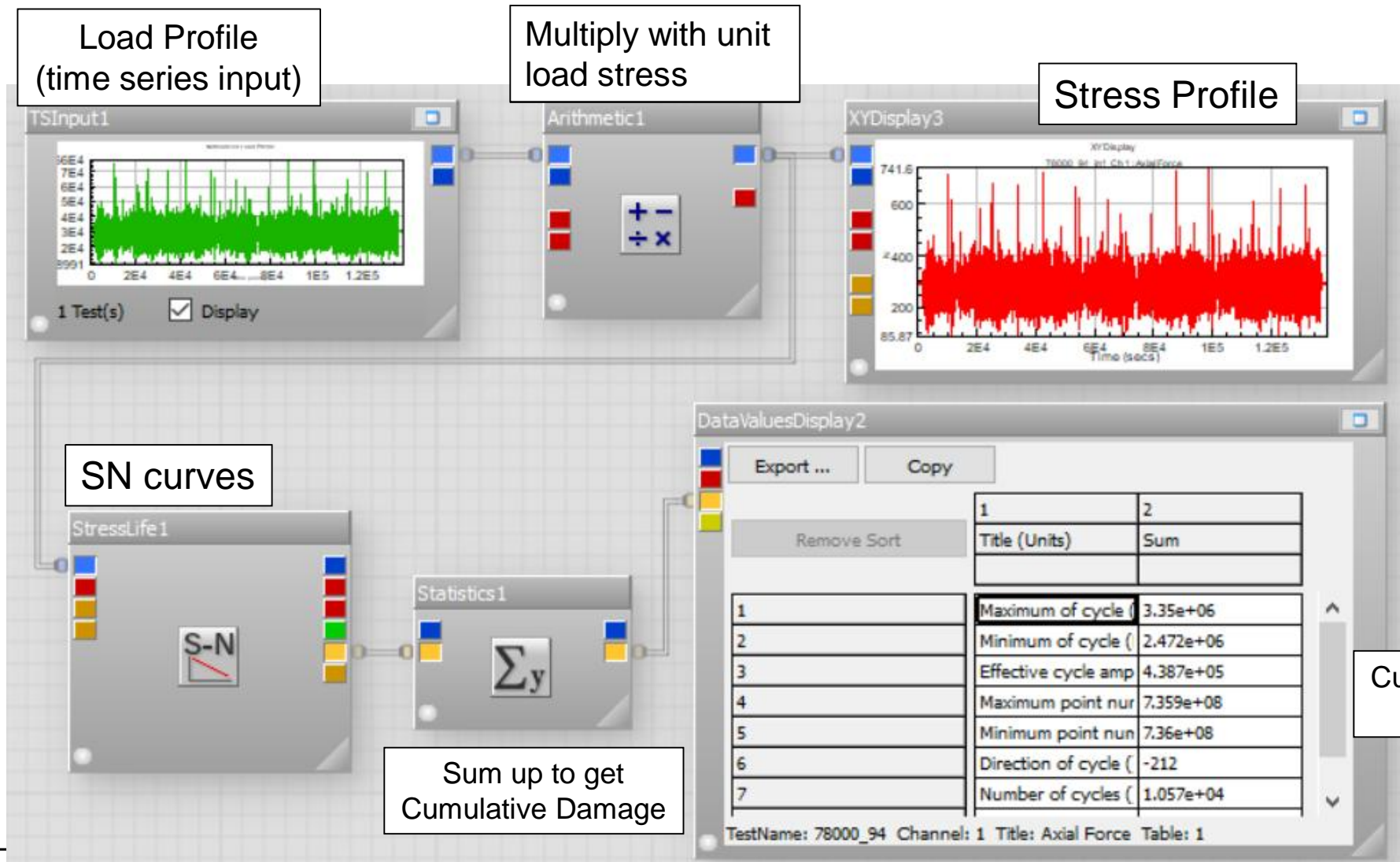


## Test Results

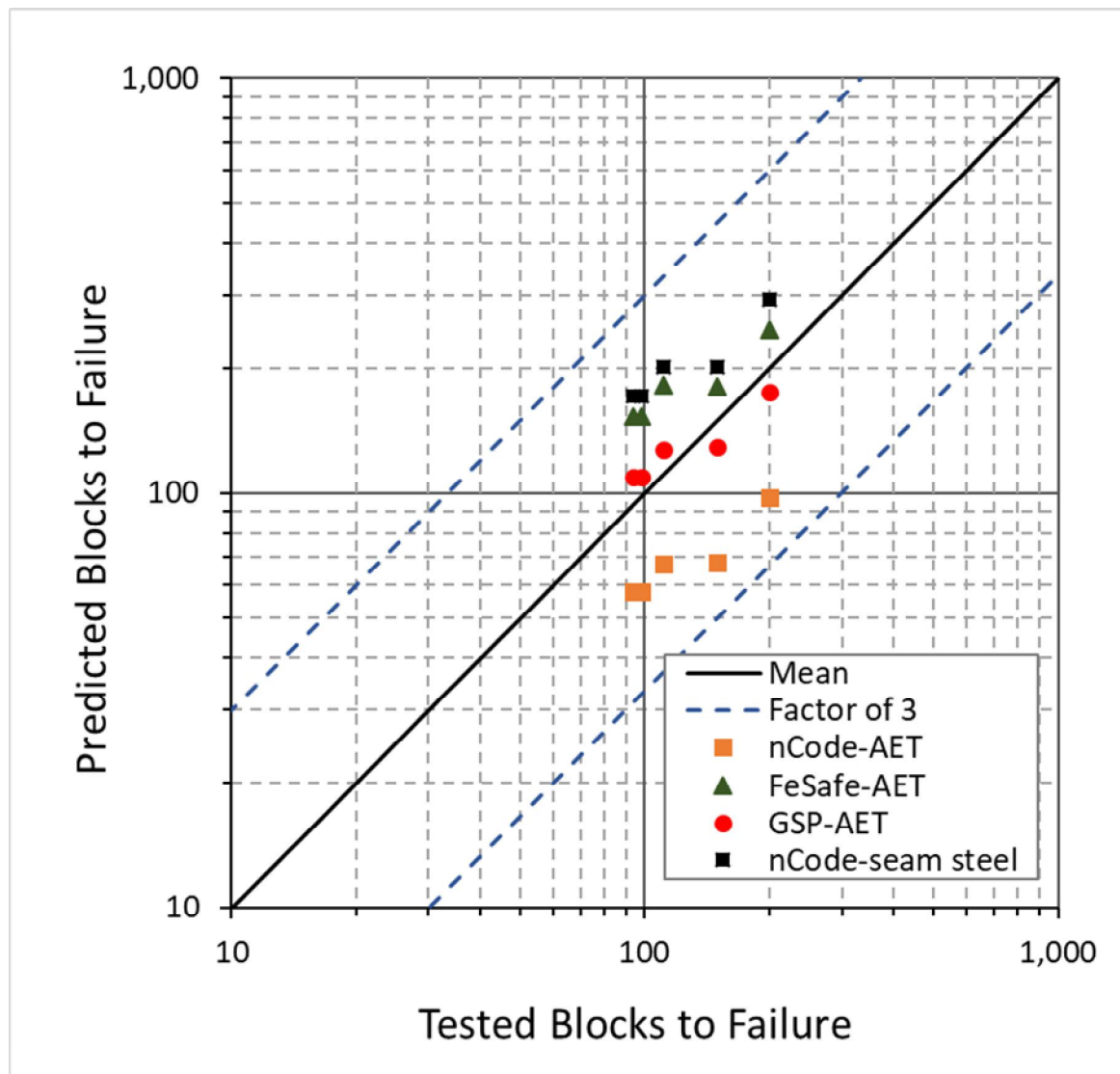
Variable Amplitude Test	Specimen	Scaling Factor	Tested Blocks to Failure
1	Control Arm_1	75200X	150
2	Control Arm_3	75200X	111
3	Control Arm_4	78000X	94
4	Control Arm_5	78000X	98
5	Control Arm_2	68400X	200



# Life Prediction of Variable Amplitude Testing



# e Prediction of Variable Amplitude Testing





# Conclusions

A new fatigue life prediction model was successfully developed using generalized stress parameter (GSP), based on fracture mechanics consideration

The method was validated with fatigue test results of a control arm component subjected to constant amplitude and variable amplitude loadings

In this investigation, compared to the structural stress methods, a better correlation is established using the GSP method, which considers the global and local geometric effect at the same time.

It may need further study for more complicated structural components (fatigue data are welcomed to test this method)

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# acknowledgements

Financial support from Auto/Steel Partnership is appreciated

Thank AET Integration Inc. for providing coupon fatigue testing data

Thank group member, Siva Vikranth Vayugundla, for fatigue testing on control arm and data processing on variable amplitude loading

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# THANK YOU !

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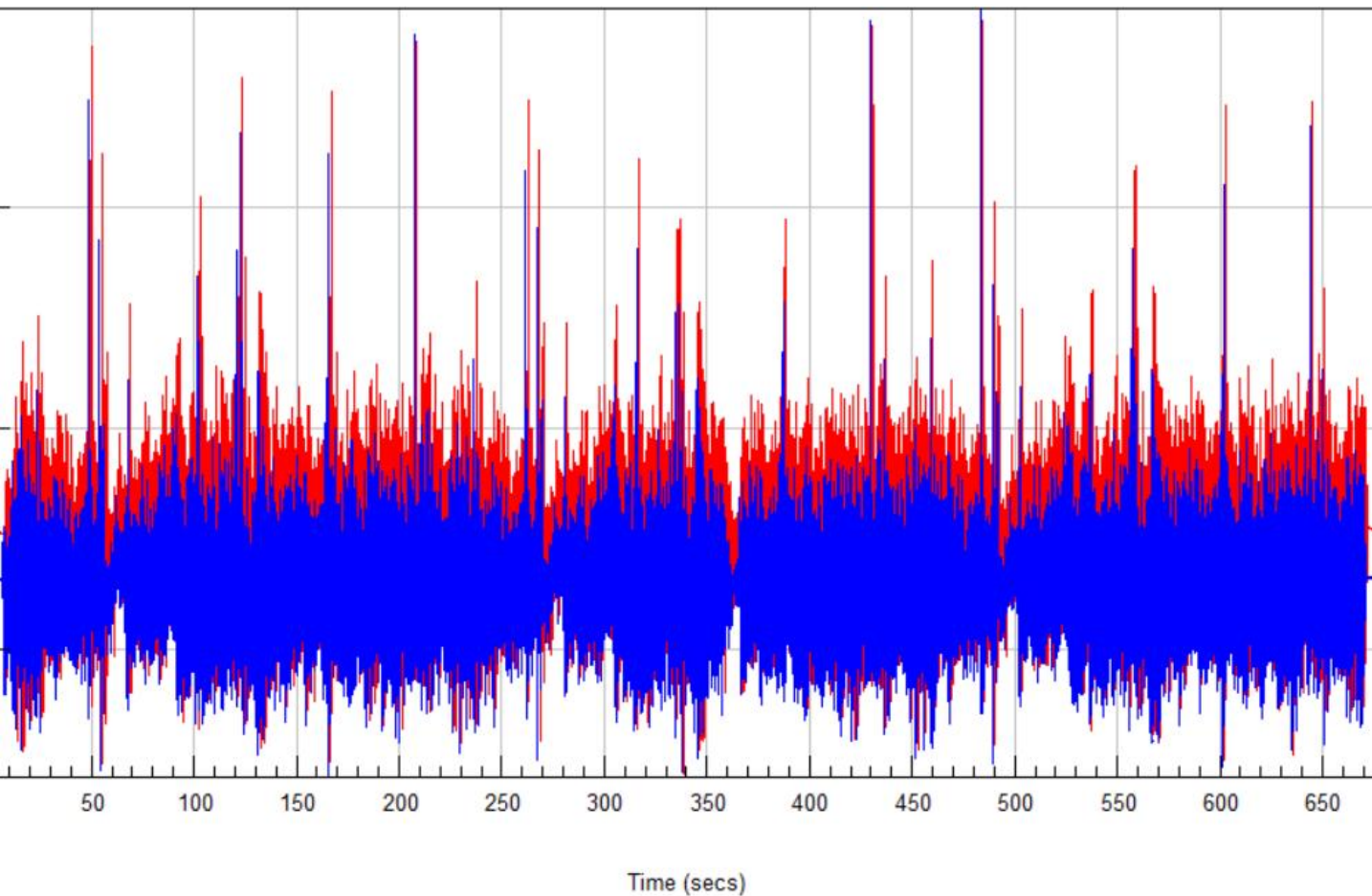
# BACKUP

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# Load Profile vs Machine Response

machine response has higher load values at peaks which causes higher damage than the input profile. Prediction was done using both profiles to show how the results differ.



--- Input Profile

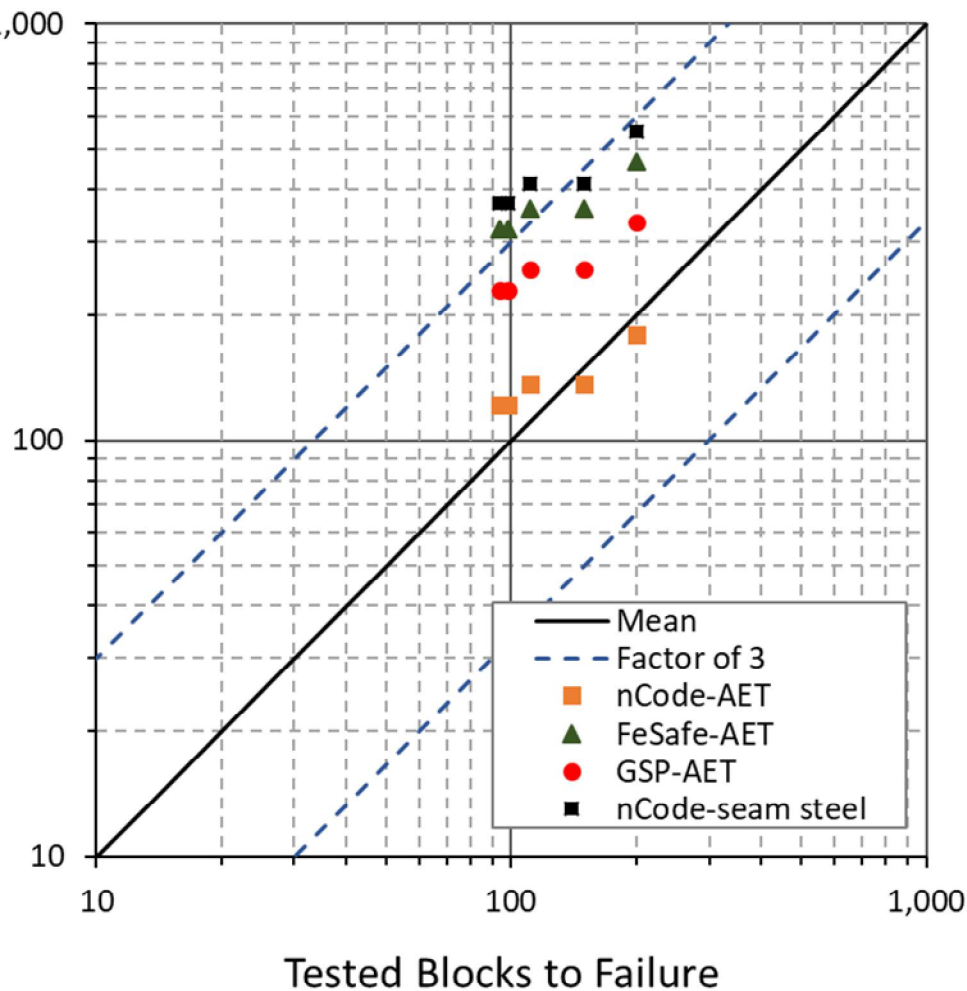
--- Machine Response

\*Machine response is the actual load experienced by the control arm during testing.

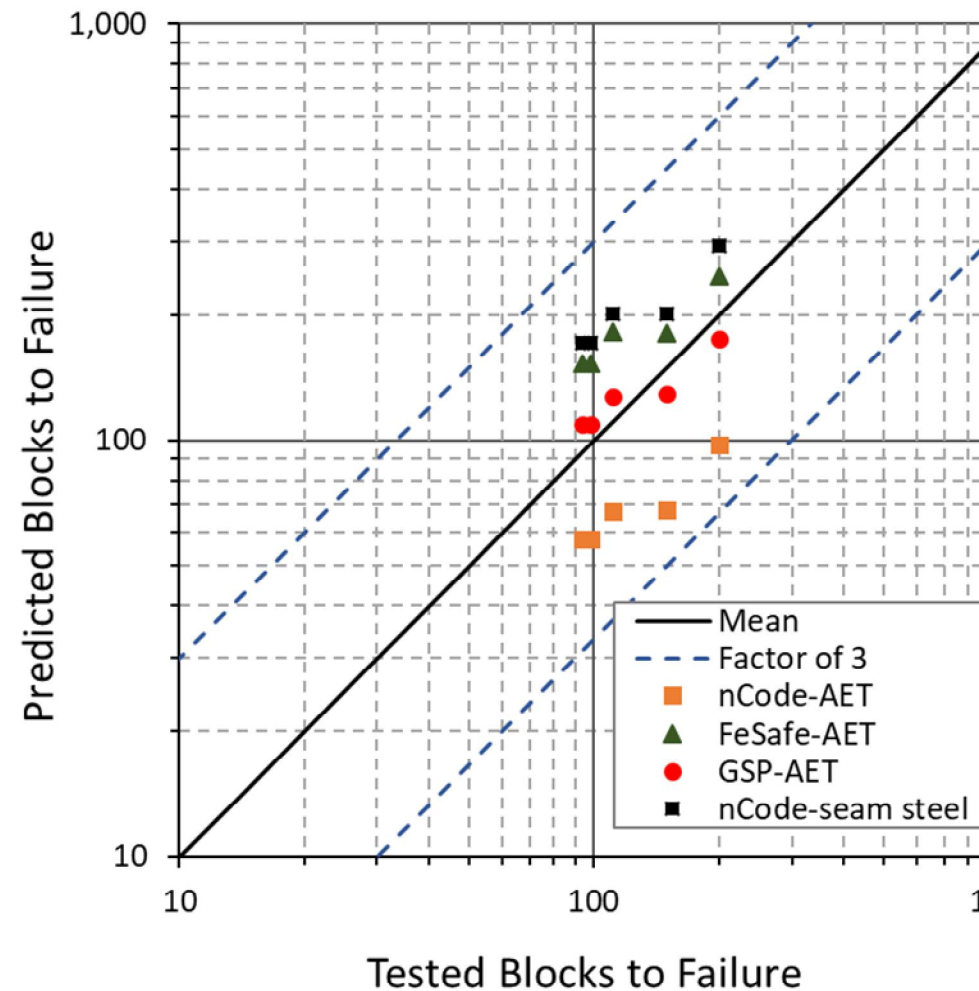
“Overshooting” happened at variable amplitude loading

# Prediction with Input Load Profile and Machine Response

Input Load Profile



Machine Response



# Hardness Testing of Control Arm Material

The control arm is constructed from heavy steel tubing. The hardness of the control arm material was determined by testing polished samples with Rockwell hardness tester. The hardness of the brace and the control arm were found to be 83 HRB and 74 HRB respectively. This proved that the control arm consisted of two different grades of heavy duty steel tubes with a seam-weld joint at the interface.

Control Arm is cut  
into small samples



Grinded and  
Polished to make  
them flat



Parameters set  
for Hardness Test  
(HRB)

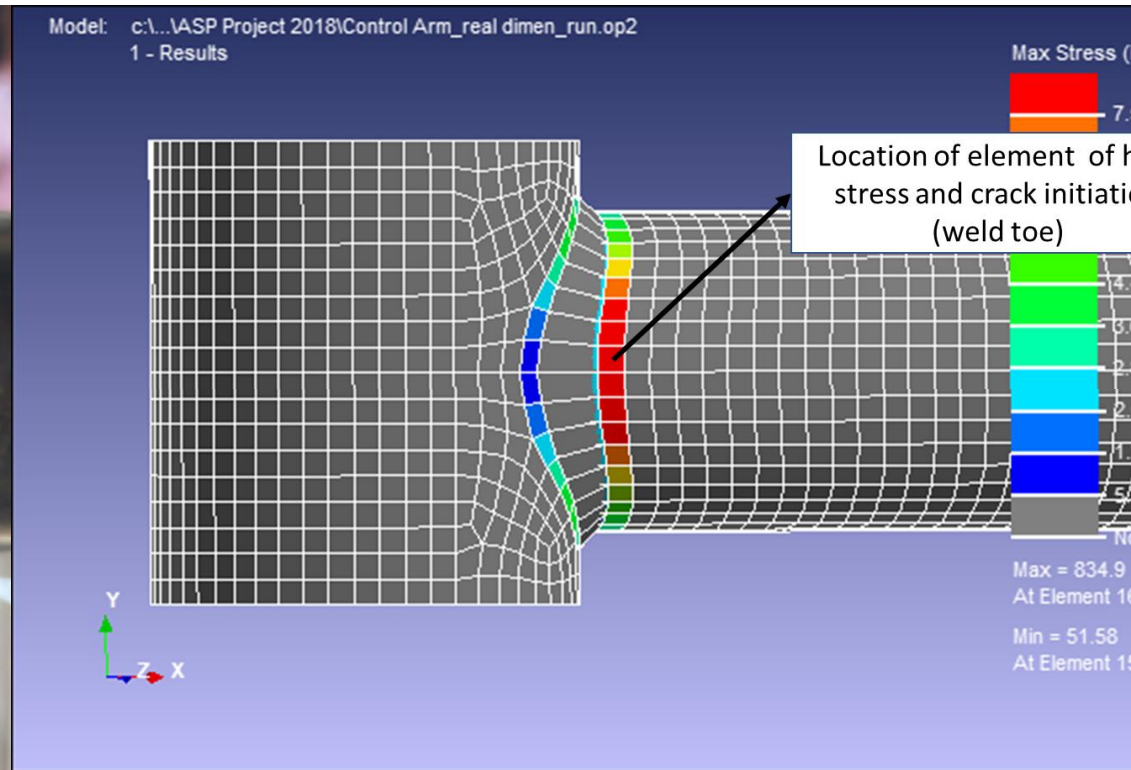
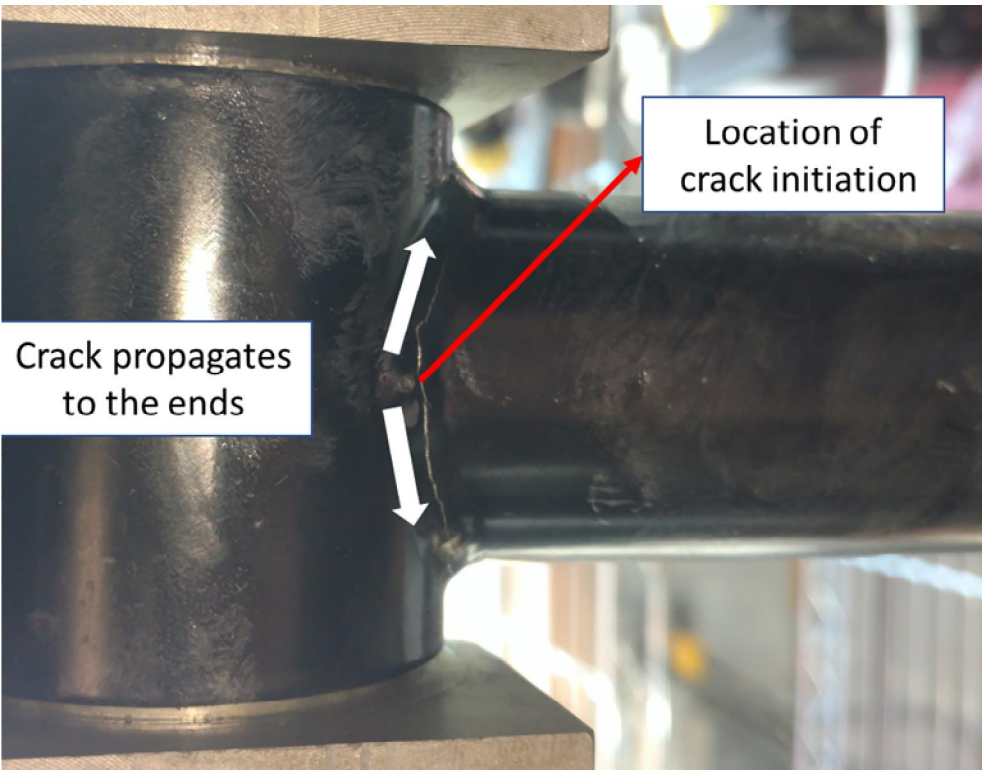


Four  
measurements  
are taken and  
averaged.





# Crack Location in Testing and FEA Analysis



Failure occurred in the weld close to the chord in majority of the control arms. It appears to be a fatigue failure.